



Doherty Power Amplifier Design

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Mobility. Connectivity. Energy.



Introduction

- **Intentions**

- With high peak to average ratio signals in full use in the commercial world and expanding in the military world, how do we efficiently amplify these signals?

- **Doherty is old news!**

- PA suppliers are getting very nearly equal results
- “Optimizations”/“tweaks” are simply exploiting tradeoffs

- **How do we put it all together?**

- And most importantly, do it quickly...

Doherty Design - Outline

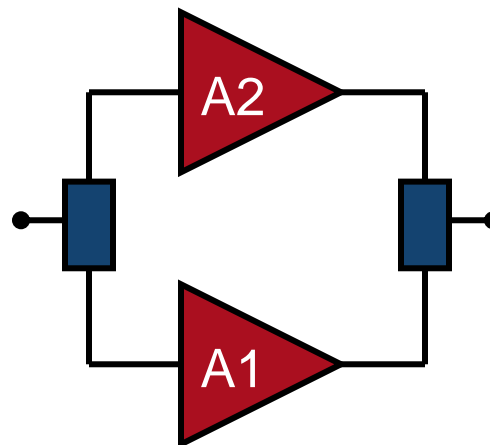
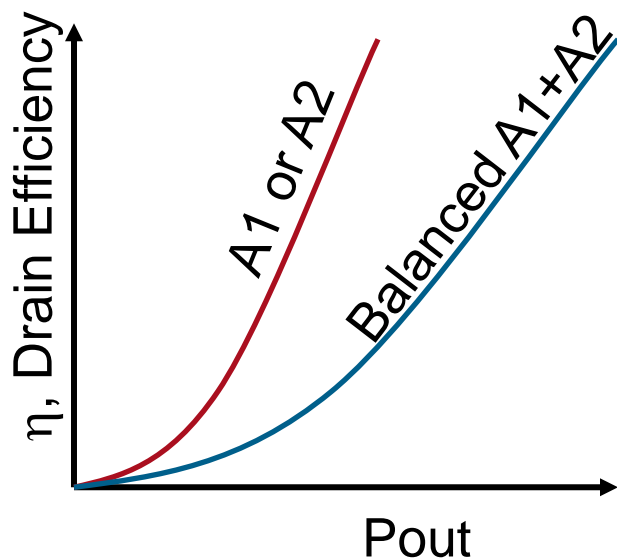
- 1 Concept Introductions
- 2 Operational Fundamentals
- 3 The Functional Doherty Design – Load Modulation
- 4 Empirical Doherty Design Example
- 5 Building the Doherty Amplifier

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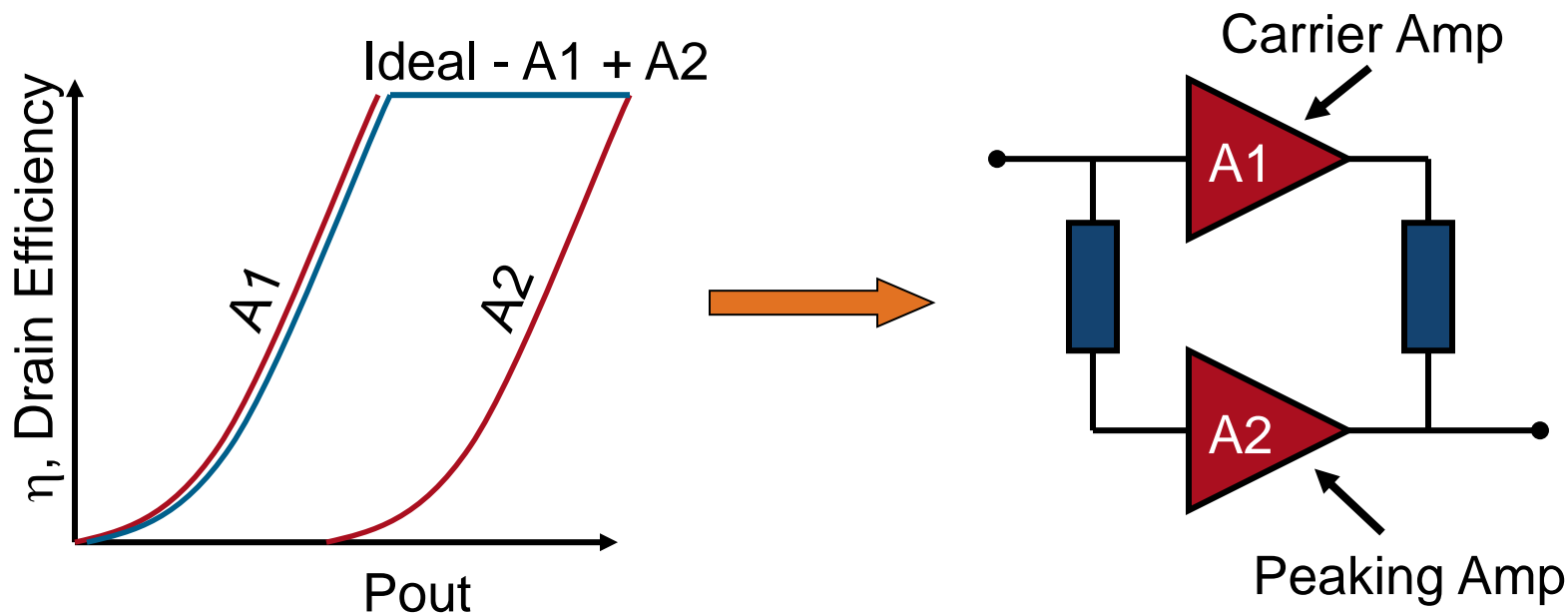
The Traditional Balanced Amplifier

- Both amplifier A1 and A2 contribute equally to P_{out}
- Both have standard Efficiency vs. P_{out} characteristics



The Doherty Amplifier

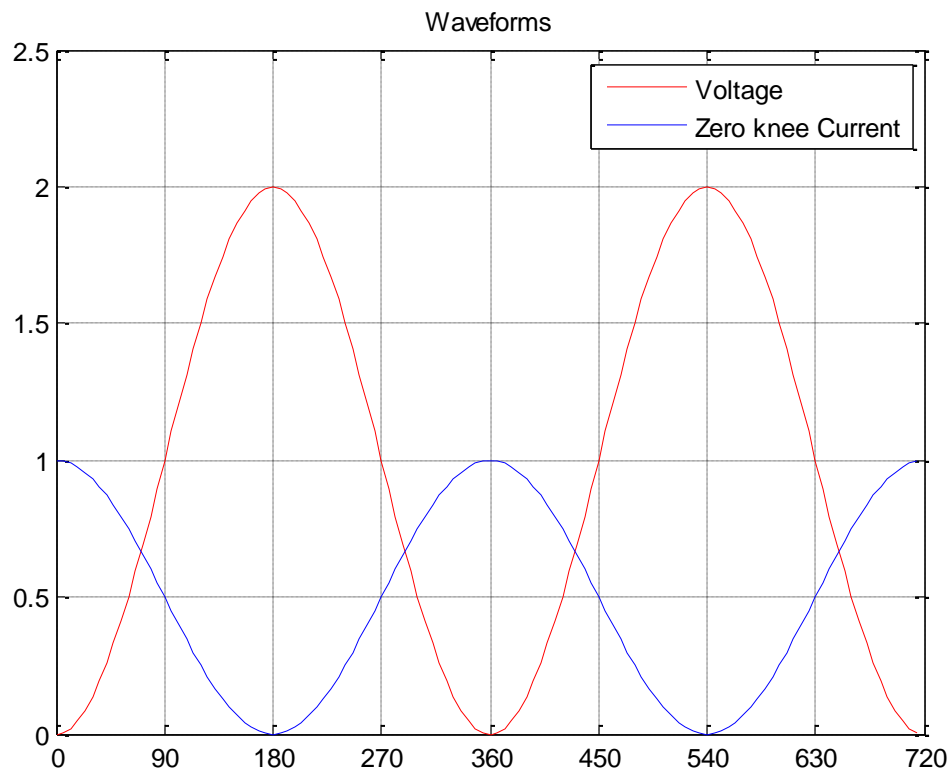
- A1 operates most of the time - handles average signal
- A2 operates only when peak power is needed
- A1 and A2's operation is dependent on each other



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Operational Fundamentals – Class A



Under basic loadline condition

$$i_D(t) = I_P \cdot \cos(\omega t)$$

$$v_{DS}(t) = V_P \cdot \cos(\omega t + \varphi)$$

$$V_{\text{knee}} = 0$$

$$V_{\text{DC}} = 1.0$$

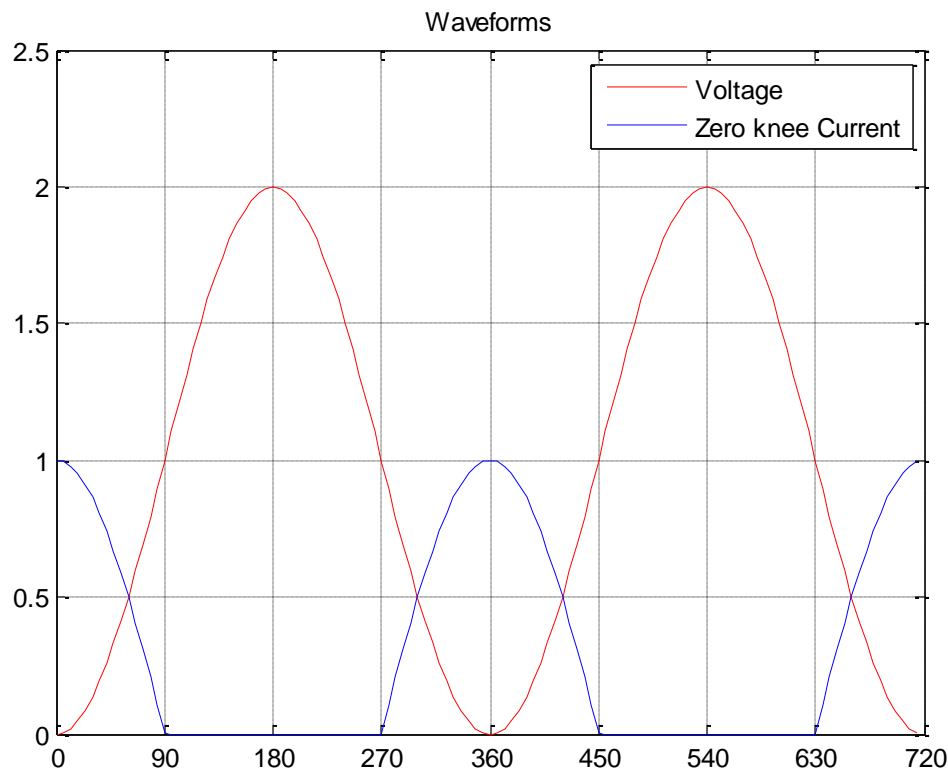
$$V_{\text{signal(fund)}} = 1.0$$

$$I_{\text{bias}} = 0.5$$

$$I_{\text{signal}} = 0.5$$

*Reference [1]

Operational Fundamentals – Class B



$$V_{\text{knee}} = 0$$

$$V_{\text{DC}} = 1.0$$

$$V_{\text{signal(fund)}} = 1.0$$

$$I_{\text{bias}} = 0$$

$$I_{\text{signal}} = 1.0$$

Load Resistor – R_L Adjust Input Drive for Max V

The output waveforms must be expanded into its Fourier series components

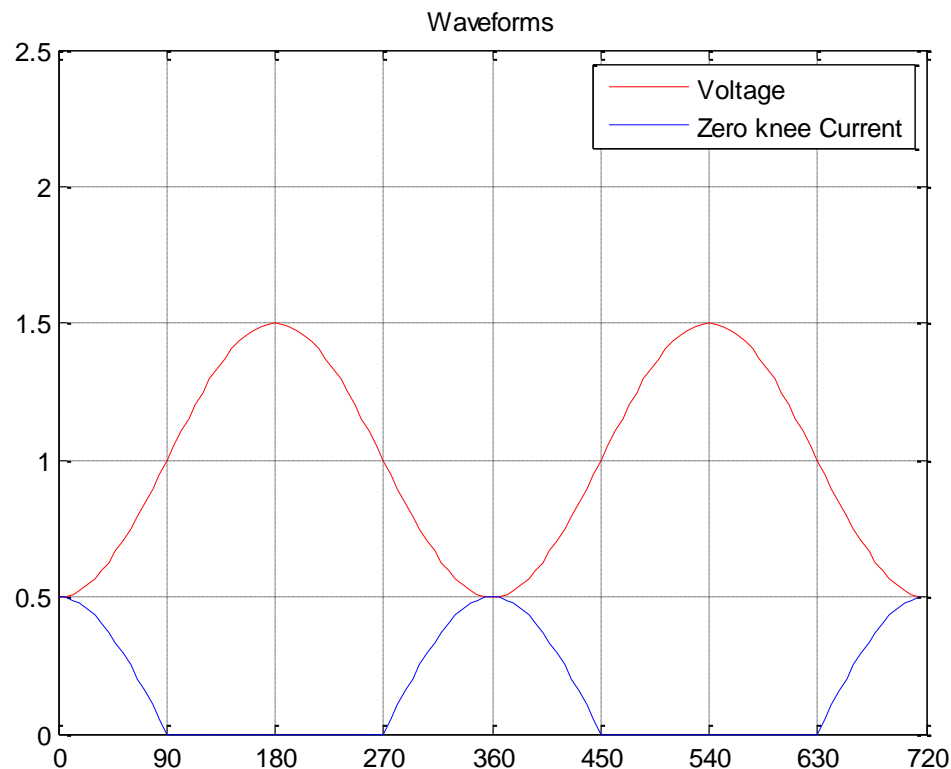
$$i_D(t) = I_0 + I_1 \cdot \cos(\omega t) + I_2 \cdot \cos(2\omega t) + I_3 \cdot \cos(3\omega t) + \dots$$

v_{DS} is simplified due to short circuited harmonics

$$v_{DS}(t) = V_{DC} - V_1 \cdot \cos(\omega t)$$

*Reference [1]

Operational Fundamentals – Class B at half power

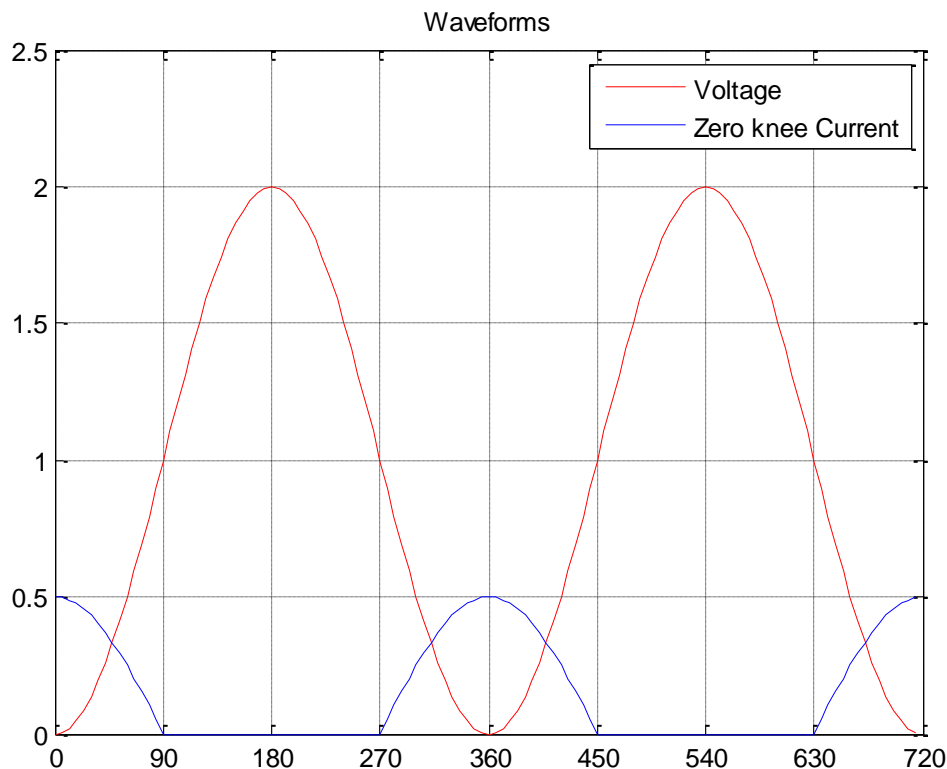


$$\begin{aligned}V_{\text{knee}} &= 0 \\V_{\text{DC}} &= 1 \\I_{\text{bias}} &= 0\end{aligned}$$

Drive Signal → -6dB
Efficiency Drops by 2

*Reference [2]

Operational Fundamentals – Class B (Load Modulation)



$$\begin{aligned}V_{\text{knee}} &= 0 \\V_{\text{DC}} &= 1 \\I_{\text{bias}} &= 0\end{aligned}$$

$R_L \rightarrow 2 \times R_L$
Efficiency Restored

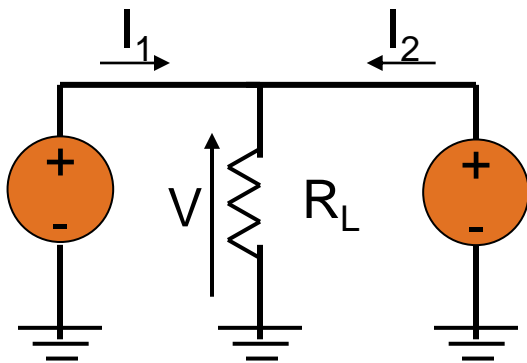
*Reference [2]

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Textbook Load Modulation

$$Z_1 = R_L \left(1 + \frac{I_2}{I_1} \right)$$



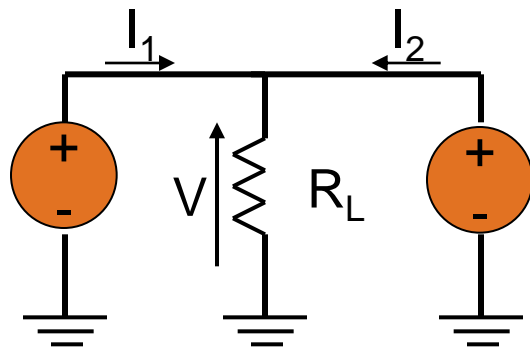
- **Doherty achieves Load modulation by using the principle of “load pulling” using two devices***

*Reference [3]

Textbook Load Modulation

Case I

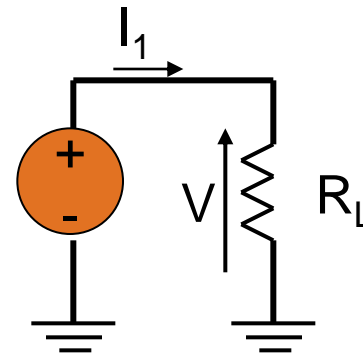
Both amplifiers contributing equally



$$Z_1 = Z_2 = 2R_L$$

Case II

Peaking amp off



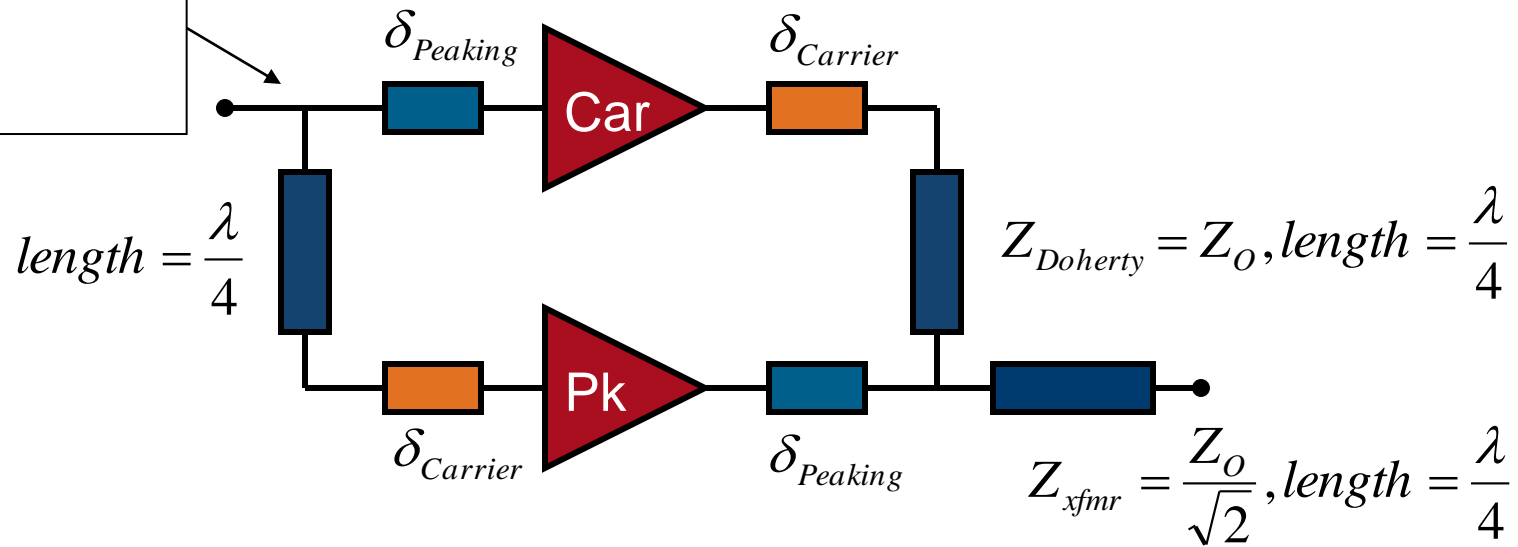
$$I_2 = 0$$
$$Z_1 = R_L$$

*Reference [3]

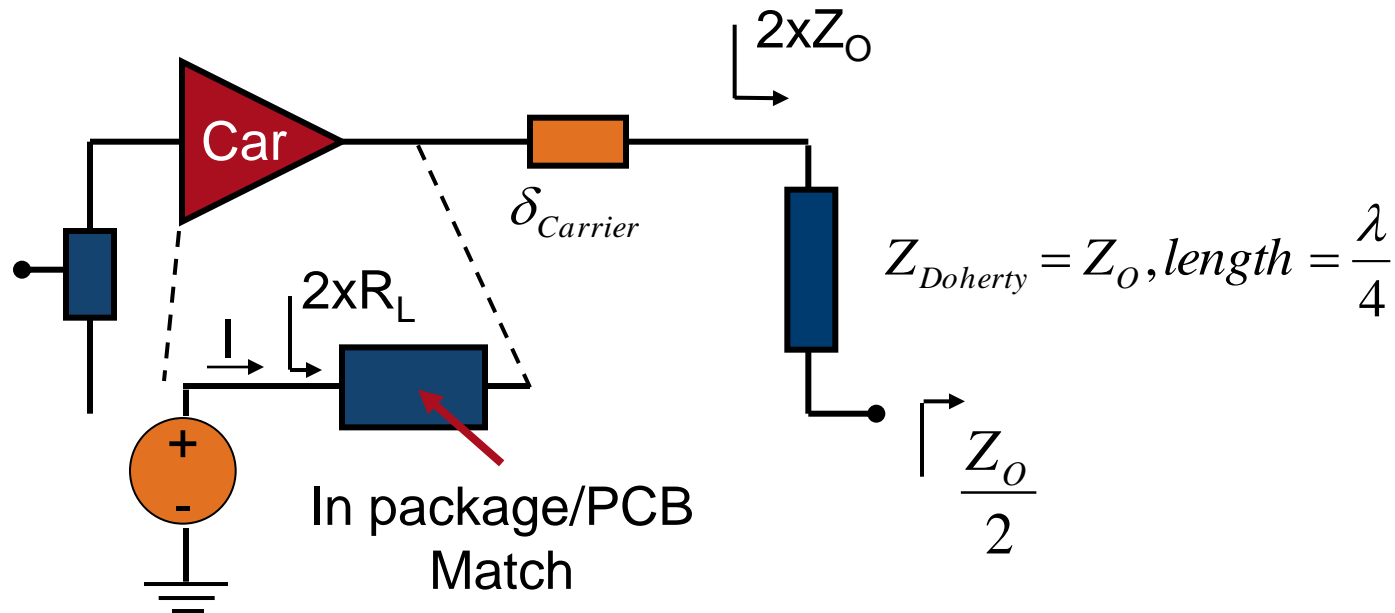
Doherty Topology – Definitions

Create a splitter

- Wilkinson
- Gysel
- Hybrid



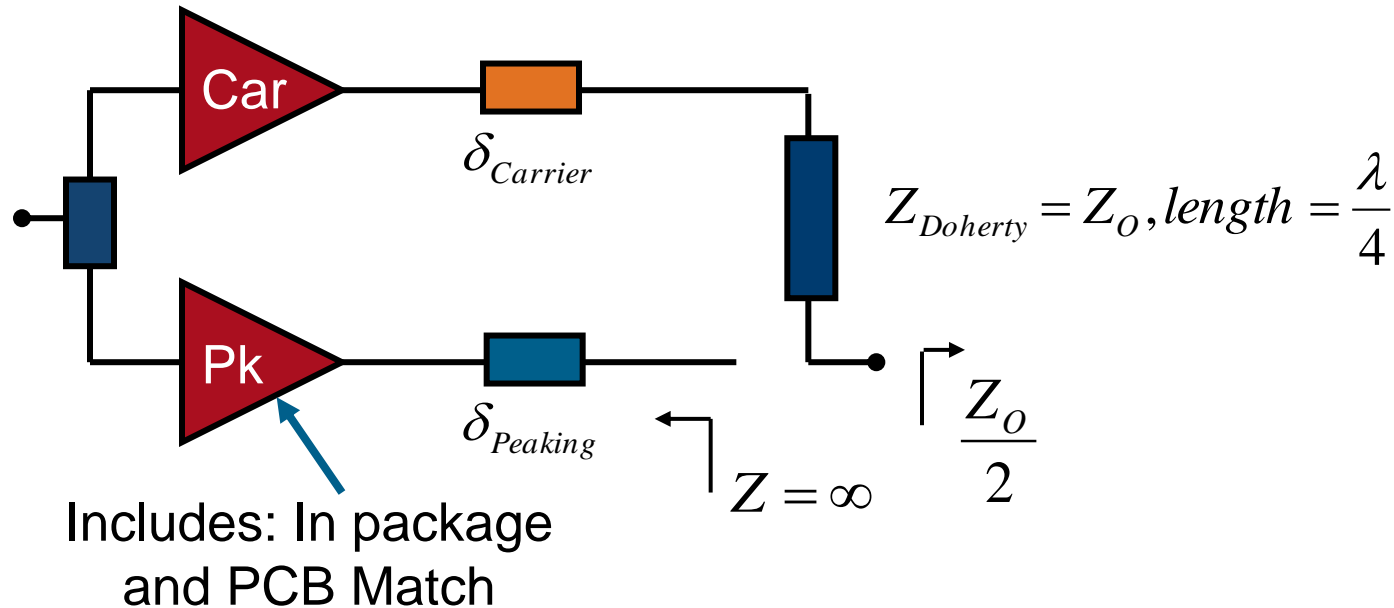
Practical Circuit Load Modulation



High Power Low Power

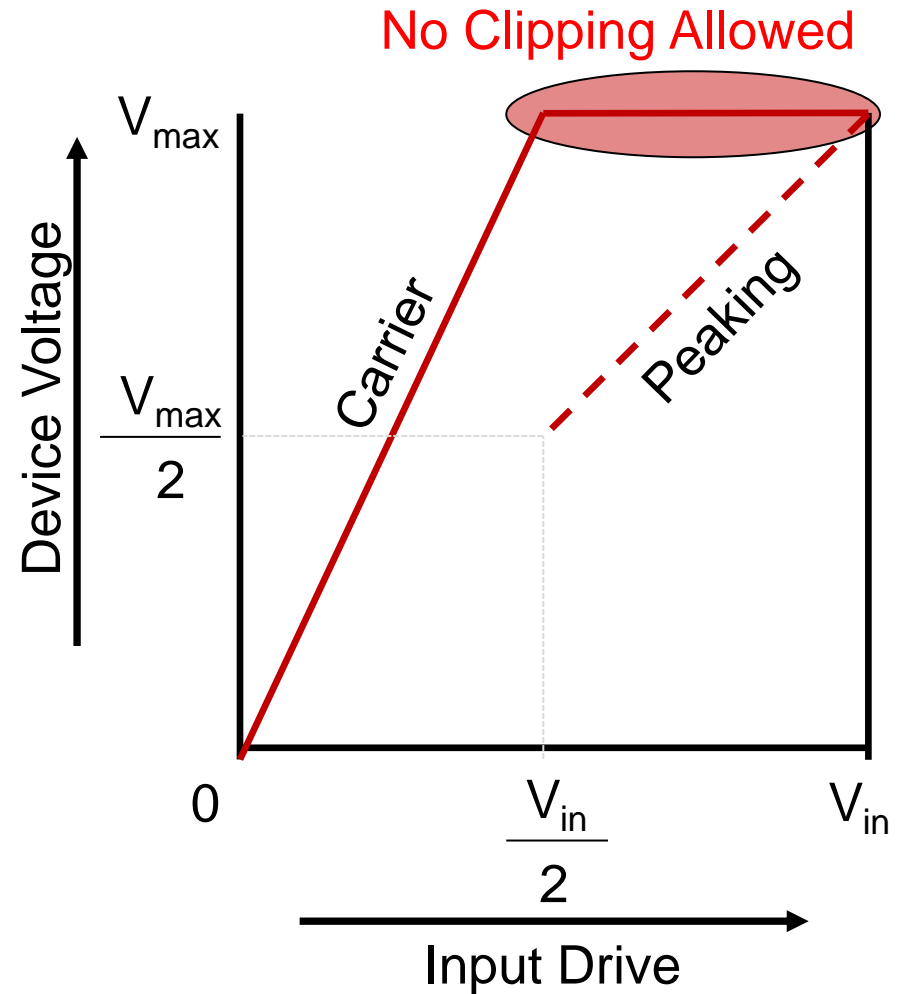
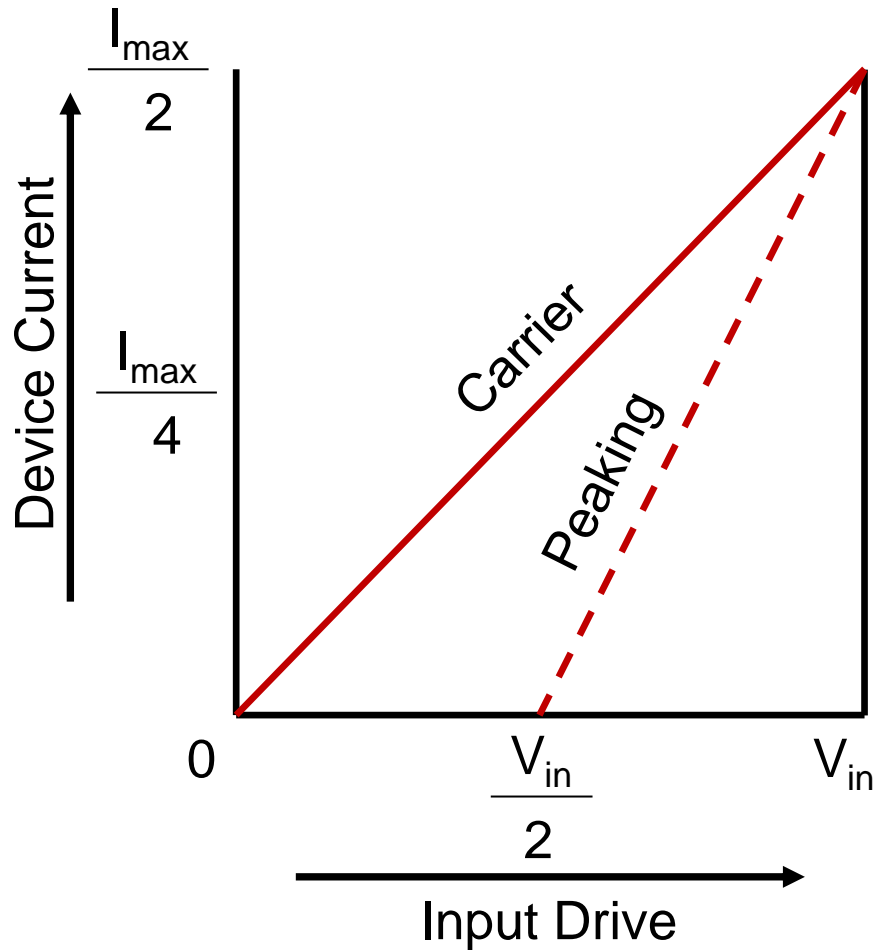
- The real implementation modulates $Z_0 \rightarrow 2xZ_0$
 - At the current source plane we want $R_L \rightarrow 2xR_L$
- How do we get this?

Designing the Doherty – Peaking off state



- **At the combiner node, we want $Z_{pk} = \infty$**
 - When the peaking amp is off
- **An additional phase shift can create this, $\delta_{Peaking}$**

Doherty – The Key to Operation or Why Doesn't it Work?



*Reference [3]

Doherty Topologies

- **There is no differentiation between standard and inverted Doherty topologies**
- **The Point of a Doherty amplifier is load modulation**
 - how you achieve target impedances is irrelevant

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GaN Device used for Design Example



rfmd.com

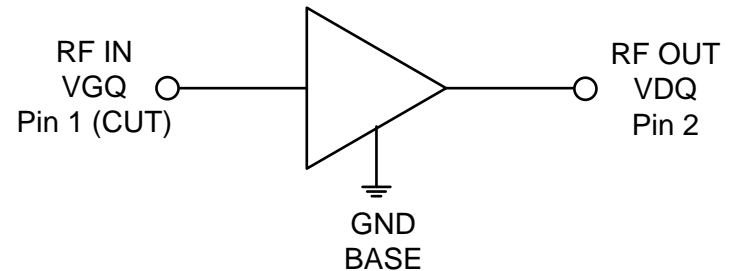
RFG1M09180

700MHZ TO 1000MHZ 180W GAN POWER AMPLIFIER

Features

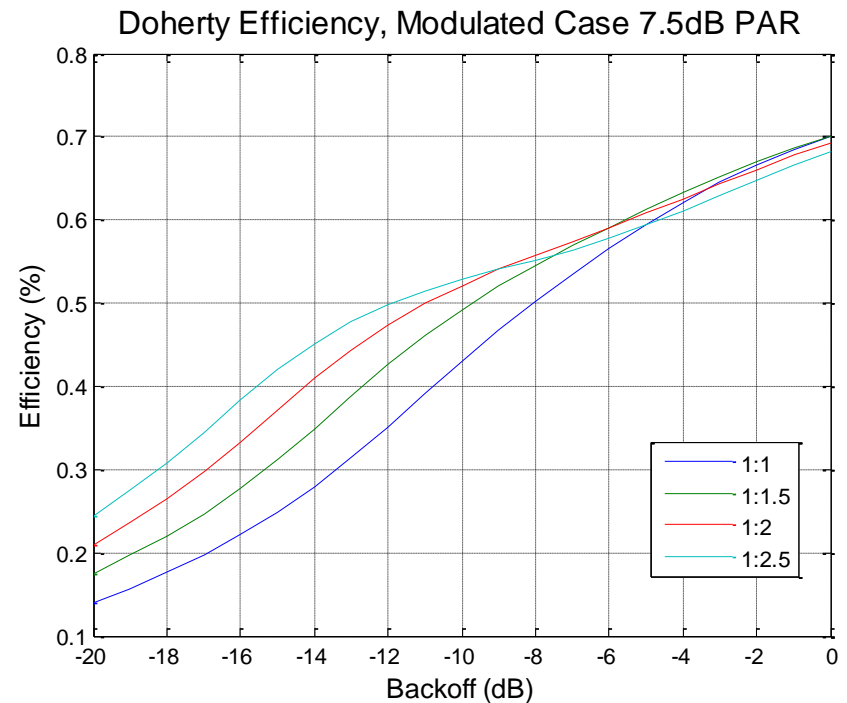
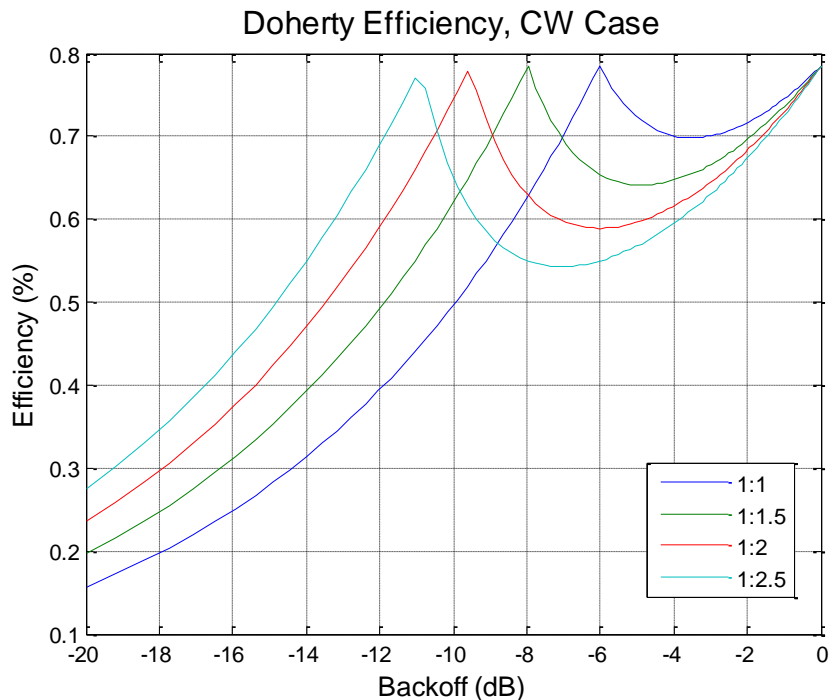
- Advanced GaN HEMT Technology
- Peak Modulated Power > 240W
- Single Circuit for 865 – 960MHz
- 48V Operation Typical Performance
 - Pout 47dBm
 - Gain 20dB
 - Drain Efficiency 39%
 - ACP -31.5dBc
 - Linearizable to -55dBc with DPD
- Optimized for video bandwidth and minimized memory effects
- RF tested for 3GPP performance
- RF tested for peak power using IS95
- Large signal models available

Package: Flanged Ceramic, 2 pin, RF400-2



Being Statistically Realistic

CHALLENGE: Design a symmetric Doherty Amplifier for α dBm average power operation with π dB peak to average ratio



Choosing the Load Conditions

CHALLENGE: Design a symmetric Doherty Amplifier for α dBm average power operation with π dB peak to average ratio

- **To achieve the best efficiency, we need:**
 - $P_{out} = \alpha + \pi$ dBm composite power (full peak power)
 - Full contribution of peak power from each amplifier
 - $P_{out} = (\alpha + \pi - 6)$ dBm
 - Carrier amplifier is fully saturated
 - Peaking amplifier is just about to turn on
 - $(\alpha + \pi - 6)$ dBm $>$ P_{out} $>$ $(\alpha + \pi)$ dBm
 - Carrier amplifier maintains saturation without clipping
 - Peaking amplifier is “load modulating” the carrier amplifier

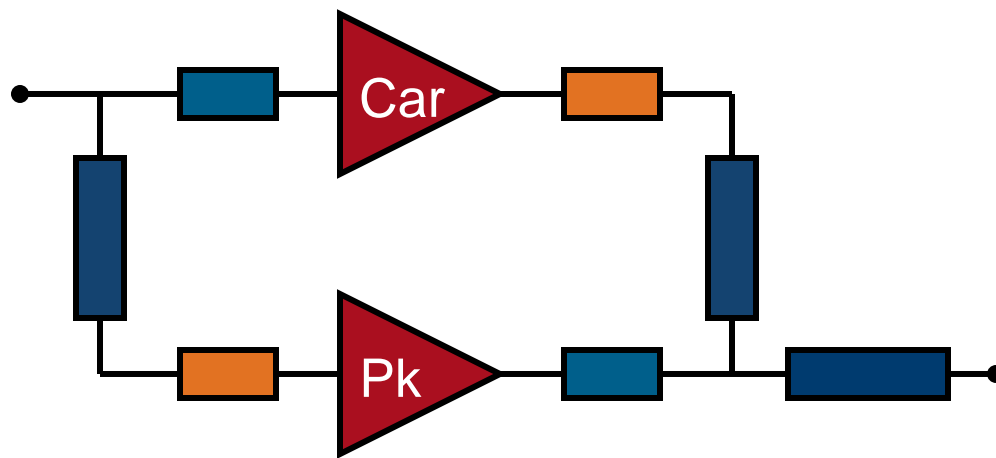
Choosing the Load Conditions

CHALLENGE: Design a symmetric Doherty Amplifier for α dBm average power operation with π dB peak to average ratio

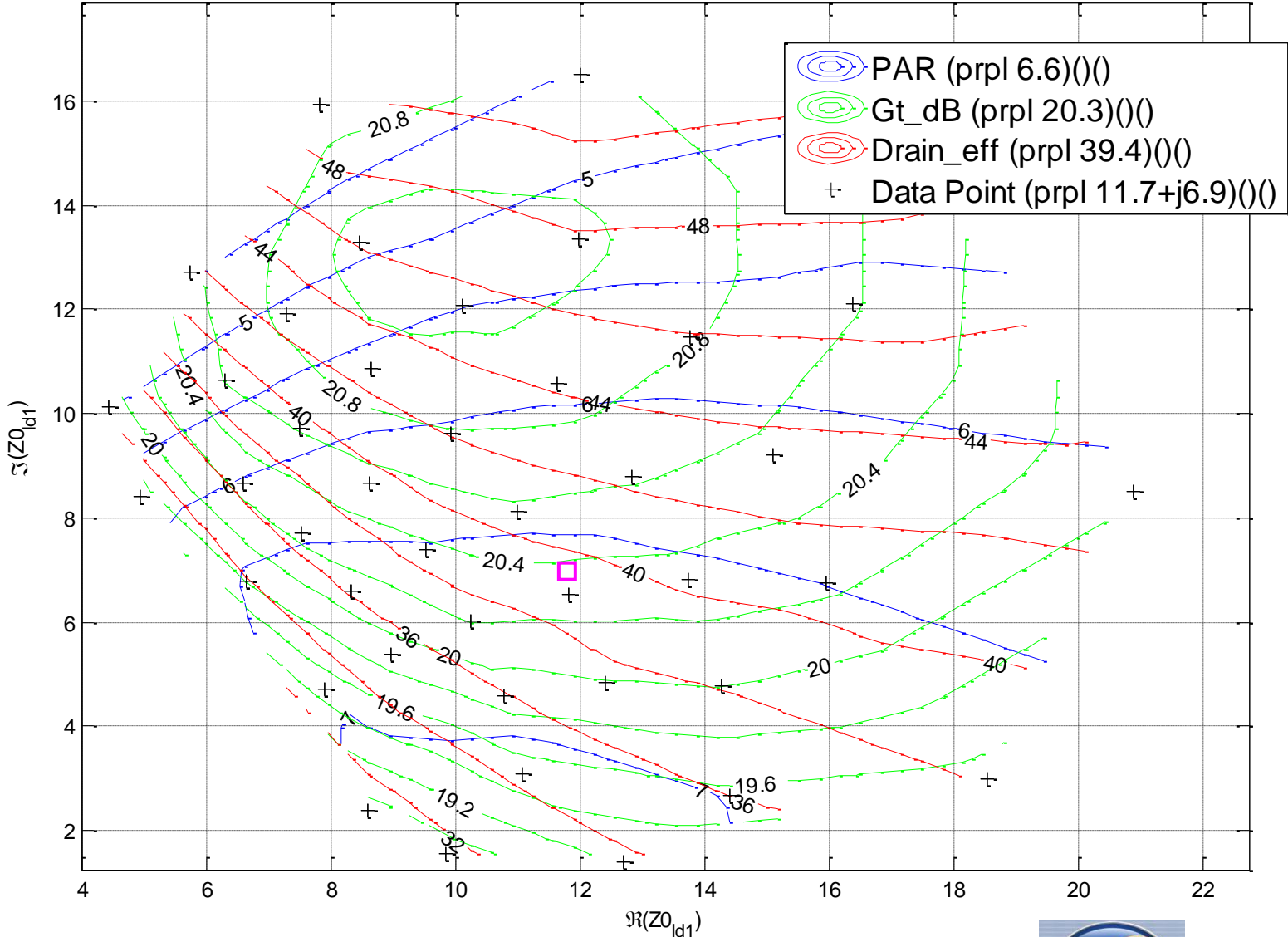
- **Break the challenge into two static cases**
 - At α dBm composite power
 - Each amplifier is functioning at $(\alpha-3)$ dBm
 - Full addition of power from carrier and peaking amp recreating all peaks
 - Amplifier must not clip
 - At slightly $< \alpha$ dBm composite power
 - If π is 6dB
 - Carrier amplifier is functioning $< \alpha$ dBm and is fully saturated (high efficiency)
 - If the peaking amplifier is off, this represents the best case efficiency
 - Be careful if π is $\neq 6$ dB (for the symmetric case)

Choosing the Load Conditions

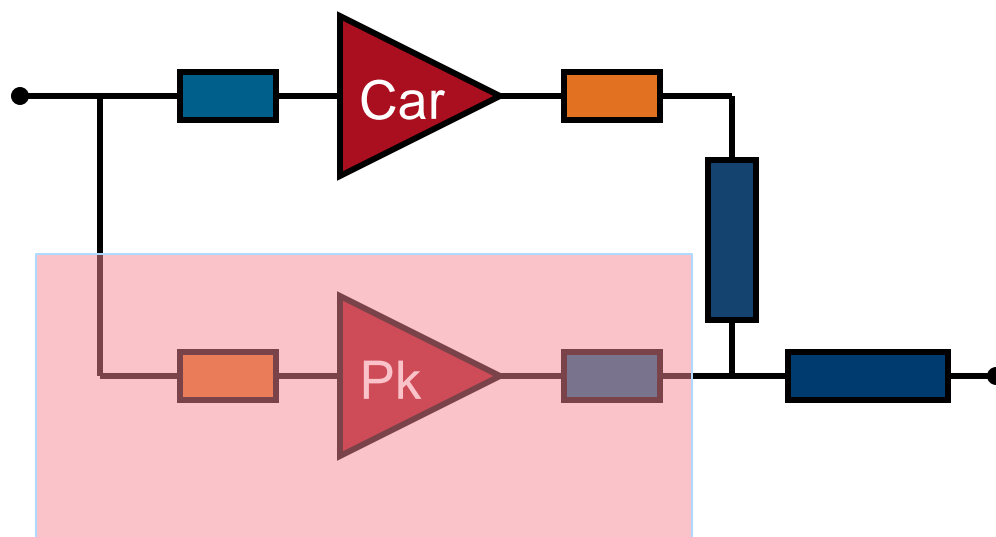
Composite Power α dBm
Power from each amp $(\alpha-3)$ dBm



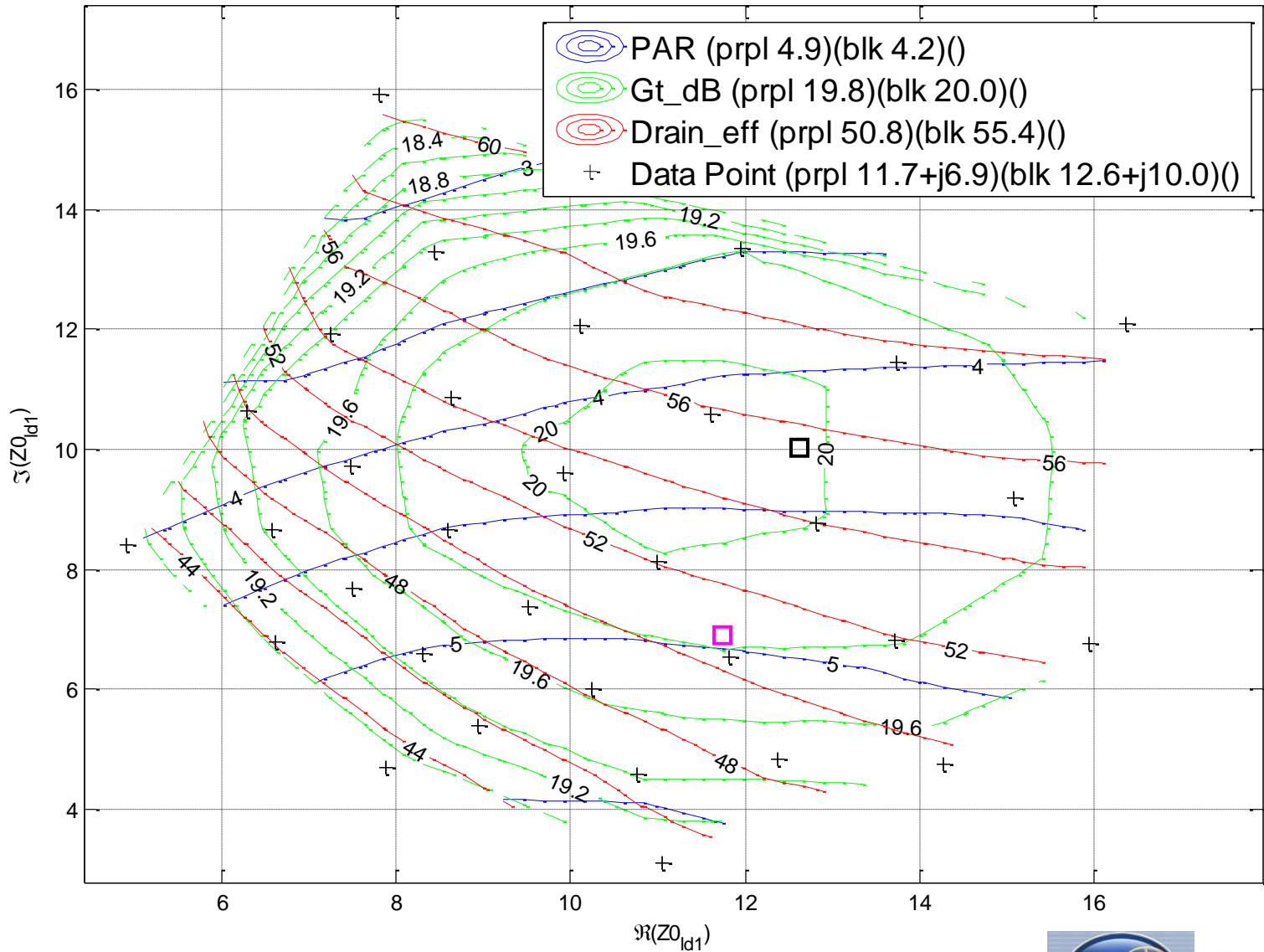
Load Contours: $(\alpha-3)$ dBm



Power from Carrier amp: α dBm



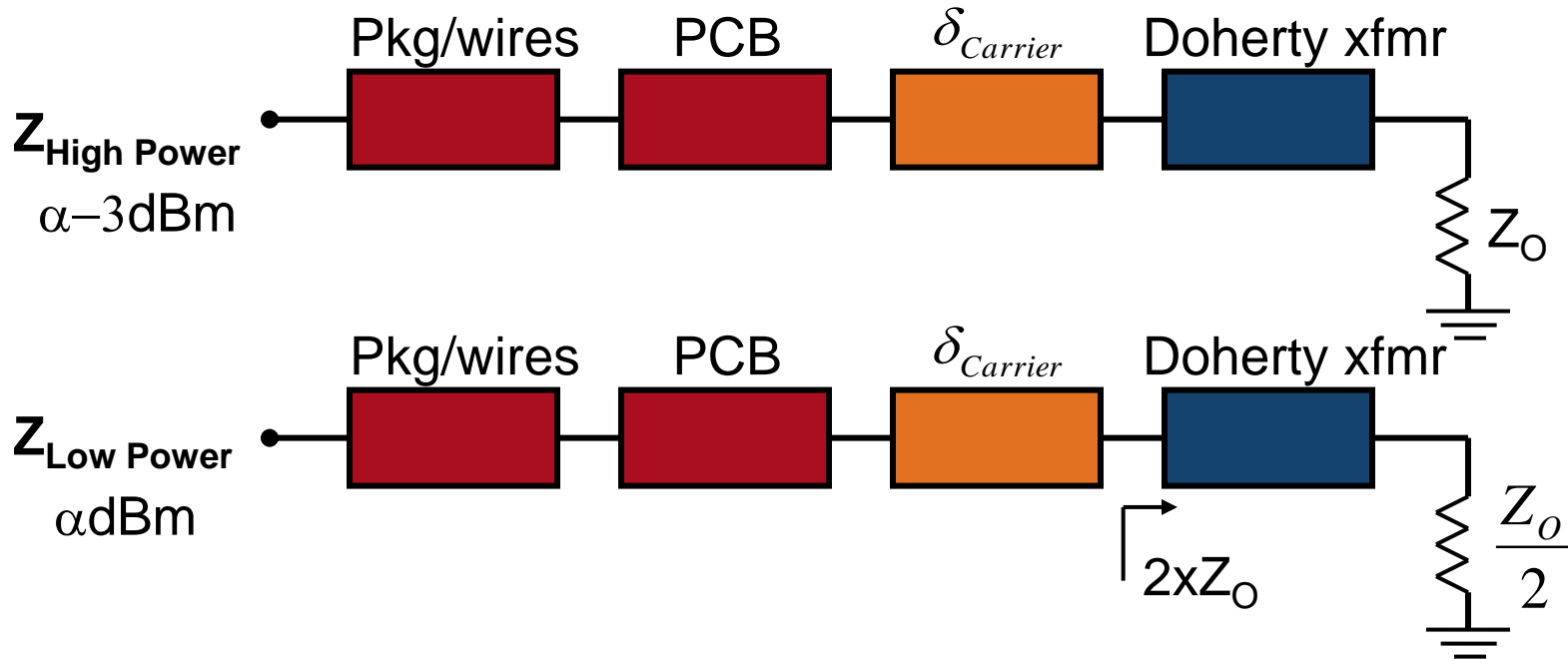
Load Contours: α dBm



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Static Tuning – Reality sets in

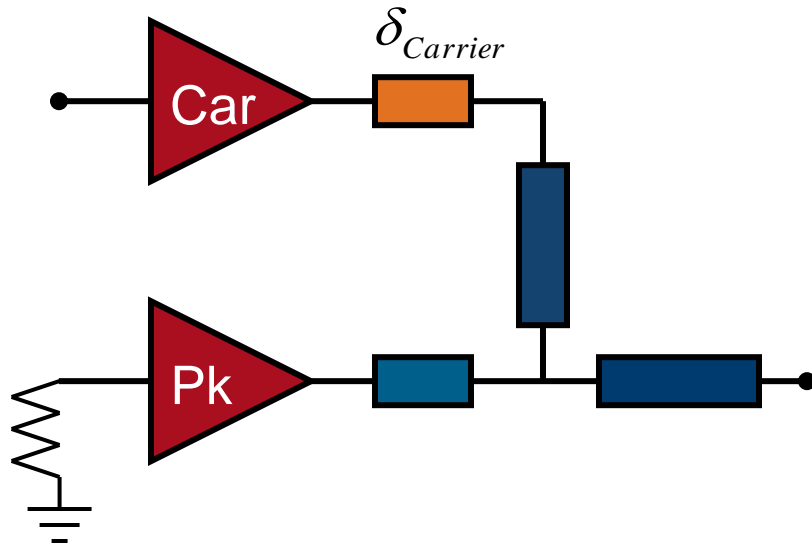


- Model the circuit
- Tune under static conditions
- Assume load modulation

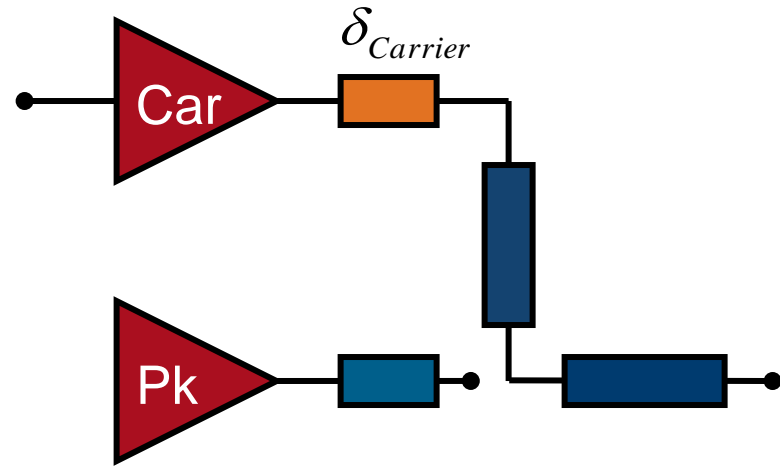


Tuning Tips – Carrier Amp

Option 1 – Peaking Amp in place

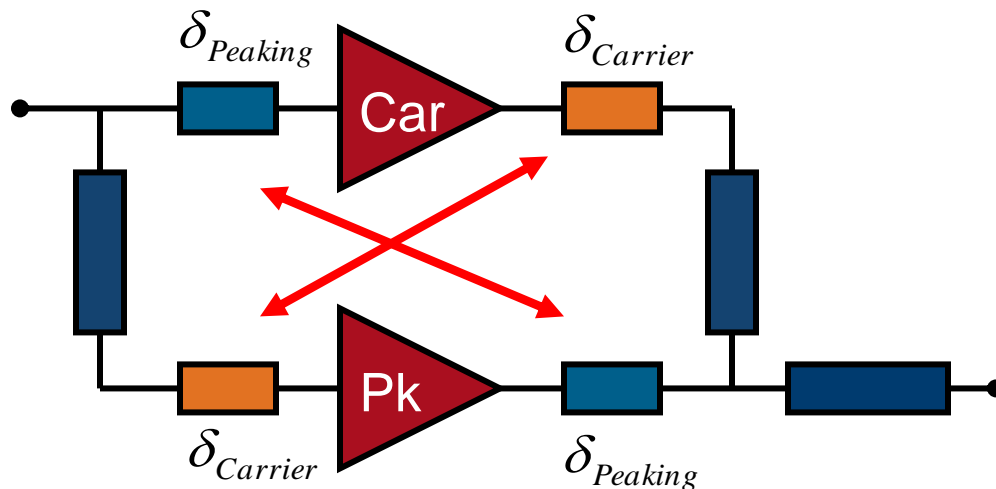


Option 2 – Peaking Amp removed



- **The Carrier Amp is where it all happens!**
 - We want no Clipping at full power with Z_o impedance
 - Saturation with peaking amplifier off
 - Must make assumptions about peaking amp and its ability to load modulate

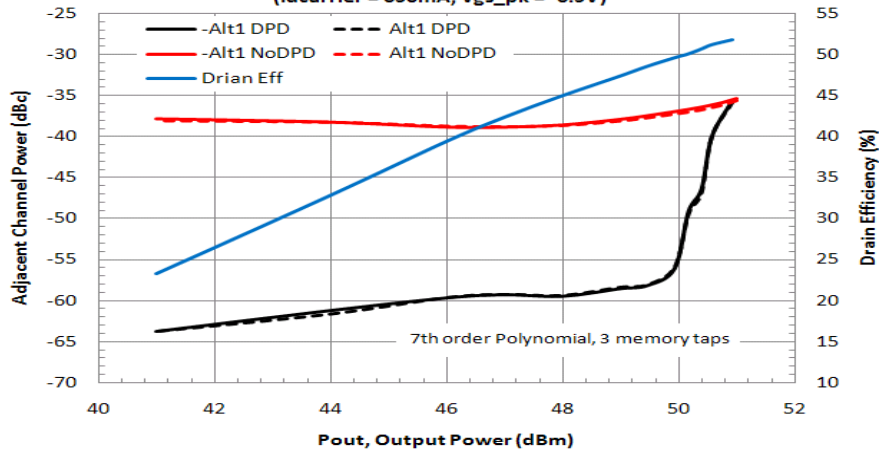
Tuning Tips – Peaking Amp



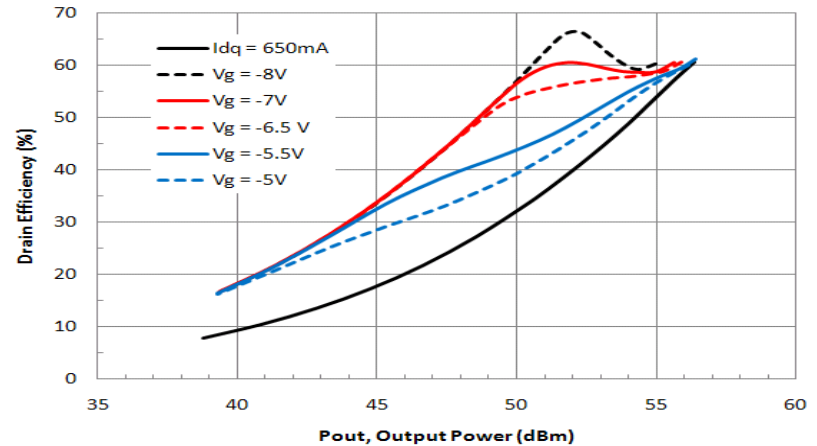
- **Set the off-state Z of peaking amp with $\delta_{Peaking}$**
 - Is this really so important
 - Can we find some advantage not to set the off-state to ideal?
- **Conventional wisdom says equal phase in each branch**
 - Class-C peaking amp has large AM-PM component
 - Where do we want phase alignment?

Tuning Tips – Putting it all together

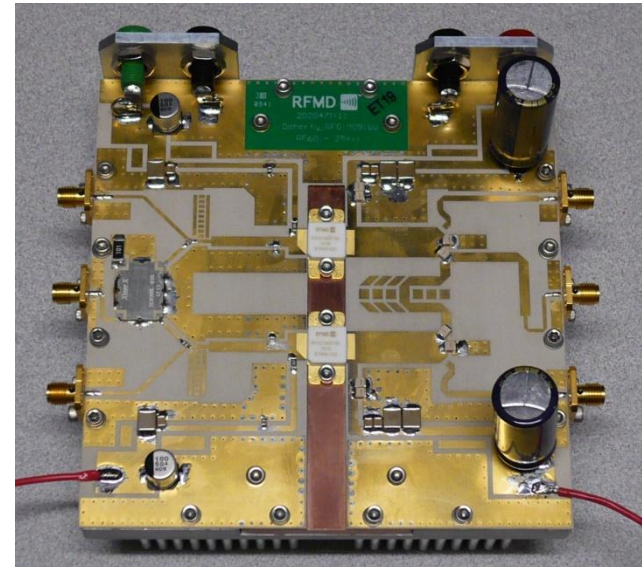
3GPP DPD Performance vs. Pout, f = 895MHz
 (3GPP TM1 PAR = 7.5dB @ 0.01% CCDF, Vd = 48V)
 (Idcarrier = 650mA, Vgs_pk = -6.5V)



Drain Efficiency vs. Pout
 (CW, Vd = 48V, Idq carrier = 650mA, Vg peaking varied, fc = 882.5MHz)



- 50% Drain Efficiency
- (7.5dB PAR @ 0.01% CCDF)
- Fully Linearizable with peak power recovery
- 15% bandwidth

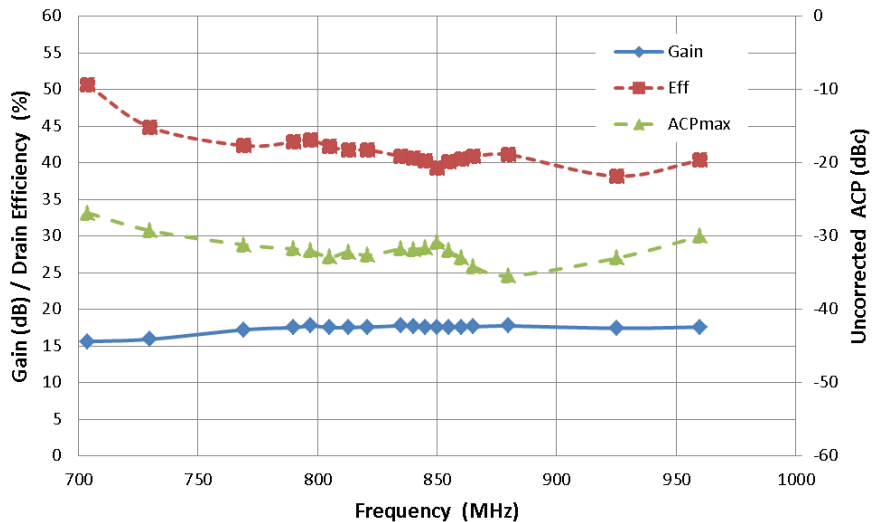


Broadband Performance and Reality

- Performance is only as good as your load modulation “bandwidth”

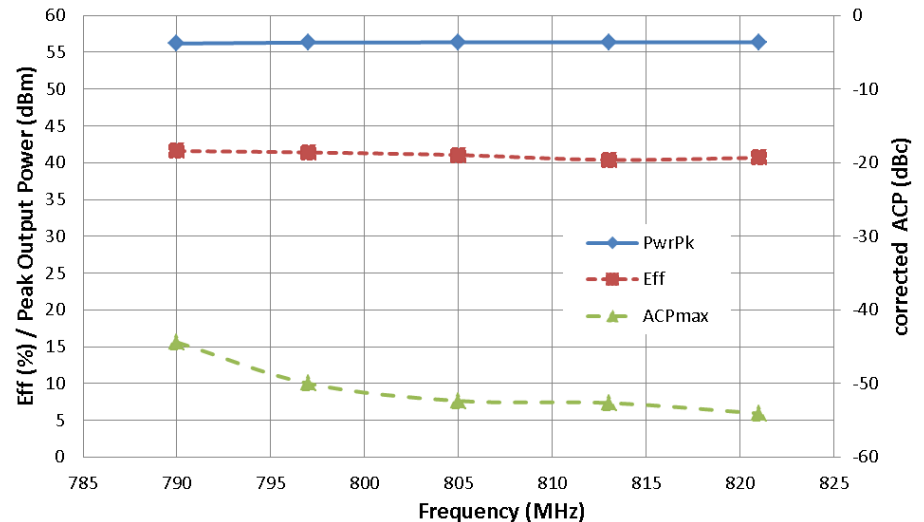
3GPP Performance vs. Frequency

(3GPP TM1 PAR = 7.5dB @ 0.01% CCDF, $V_d = 48V$)
 ($I_{dcarrier} = 650mA$, $V_{gs_pk} = -4.5V$)



3GPP DPD Linearized Performance vs. Frequency

(3GPP TM1 PAR = 7.5dB @ 0.01% CCDF, $V_d = 48V$)
 ($I_{dcarrier} = 650mA$, $V_{gs_pk} = -4.5V$)



Summary

- **The Doherty Amplifier topology can provide efficiency benefits**
- **Implementation is full of pitfalls**
- **Variants are many, based on the same concept**



**Do You Have
Any Questions?**

References

- [1] Colantonio, Giannini, Limiti, *High Efficiency RF and Microwave Solid State Power Amplifiers*, Wiley and Sons, 1999, p 49-82
- [2] Cripps, S., “Doherty RF Power Amplifiers, Theory and Practice”, *Short Course SC-4, 2009 International Microwave Symposium*, Boston
- [3] Cripps, S., *RF Power Amplifiers for Wireless Communications*, Artech House, 1999, p 225-235