

Part-of-Speech Tagging with Two Sequential Transducers

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Abstract

The article presents a method of constructing and applying a cascade consisting of a left- and a right-sequential finite-state transducer, T_1 and T_2 , for part-of-speech disambiguation. In the process of POS tagging, every word is first assigned a unique ambiguity class that represents the set of alternative tags that this word can occur with. The sequence of the ambiguity classes of all words of one sentence is then mapped by T_1 to a sequence of reduced ambiguity classes where some of the less likely tags are removed. That sequence is finally mapped by T_2 to a sequence of single tags. Compared to a Hidden Markov model tagger, this transducer cascade has the advantage of significantly higher processing speed, but at the cost of slightly lower accuracy. Applications such as Information Retrieval, where the speed can be more important than accuracy, could benefit from this approach.

1 Introduction

We present a method of constructing and applying a cascade consisting of a left- and a right-sequential finite-state transducer (FST), T_1 and T_2 , for part-of-speech (POS) disambiguation.

In the process of POS tagging, we first assign every word of a sentence a unique ambiguity class c_i that can be looked up in a lexicon encoded by a sequential FST. Every c_i is denoted by a single symbol, e.g. “[ADJ NOUN]”, although it represents a set of alternative tags that a given word can occur with. The sequence of the c_i of all words of one sentence is the input to our FST cascade (Fig. 1). It is mapped by T_1 , from left to right, to a sequence of reduced ambiguity classes r_i . Every r_i is denoted by a single symbol, although it represents a set of alternative tags. Intuitively, T_1 eliminates the less likely tags from c_i , thus creating r_i . Finally, T_2 maps the sequence of r_i , from right to left, to an output sequence of single POS tags t_i . Intuitively, T_2 selects the most likely t_i from every r_i (Fig. 1).

Compared to a Hidden Markov model (HMM) (Rabiner 1990), this FST cascade has the advantage of significantly higher processing speed, but at the cost of slightly lower accuracy. Applications such as Information Retrieval, where the speed can be more important than accuracy, could benefit from this approach.

Although our approach is related to the concept of bimachines (Schützenberger 1961) and factorization (Elgot and Mezei 1965), we proceed differently in that we build two sequential FSTs directly and not by factorization.

This article is structured as follows. Section 2 describes how the ambiguity classes and reduced ambiguity classes are defined based on a lexicon and a training corpus. Then, Section 3 explains how the probabilities of these classes in the context of other classes are calculated. The construction of T_1 and T_2 is shown in Section 4. It makes use of the previously defined classes and their probabilities.

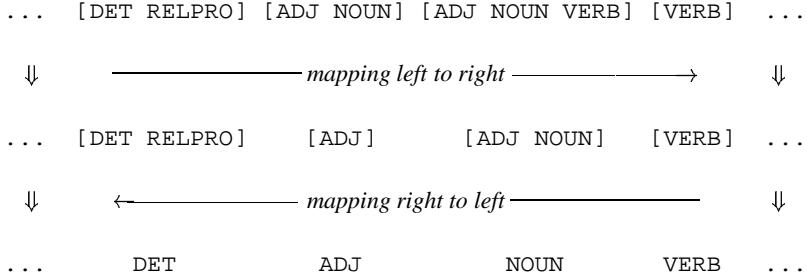


Figure 1: Part of an input, an intermediate, and an output sequence in the FST cascade (example)

Section 5 describes the application of the FSTs to an input text, and Section 6 finally compares the FSTs to an HMM tagger, based on experimental data.

2 Definition of Classes

Instead of dealing with lexical probabilities of individual words (Church 1988), many POS taggers group words into *ambiguity classes* and deal with lexical probabilities of these classes (Cutting, Kupiec, Pedersen and Sibun 1992, Kupiec 1992). Every word belongs to one ambiguity class that is described by the set of all POS tags that the word can occur with. For example, the class described by $\{\text{NOUN}, \text{VERB}\}$ includes all words that could be analyzed either as noun or verb depending on the context. We follow this approach.

Some approaches make a more fine-grained word classification (Daelemans, Zavrel, Berck and Gillis 1996, Tzoukermann and Radev 1996). Words that occur with the same alternative tags, e.g., NOUN and VERB, can here be assigned different ambiguity classes depending on whether they occur more frequently with one or with the other tag. Although this has proven to increase the accuracy of HMM-based POS disambiguation, it did not significantly improve our method. After some investigations in this direction, we decided to follow the simpler classification above.

Before we can build the FST cascade, we have to define ambiguity classes, that will constitute the input alphabet of T_1 , and *reduced ambiguity classes*, that will form the intermediate alphabet of the cascade, i.e., the output of T_1 and the input of T_2 .

Ambiguity classes c_i are defined from the training corpus and lexicon, and are

each described by a pair consisting of a tag list $\hat{t}(c_i)$ and a probability vector $\vec{p}(c_i)$:

$$\hat{t}(c_i) = \langle t_{i1}, t_{i2}, \dots, t_{in} \rangle \quad \vec{p}(c_i) = \begin{bmatrix} p(t_{i1}|c_i) \\ p(t_{i2}|c_i) \\ \vdots \\ p(t_{in}|c_i) \end{bmatrix} \quad (1)$$

For example:

$$\hat{t}(c_1) = \langle \text{ADJ}, \text{NOUN}, \text{VERB} \rangle \quad \vec{p}(c_1) = \begin{bmatrix} 0.29 \\ 0.60 \\ 0.11 \end{bmatrix} \quad (2)$$

which means that the words that belong to c_1 are tagged as ADJ in 29 %, as NOUN in 60 %, and as VERB in 11 % of all cases in the training corpus.

When all c_i are defined, a class-based lexicon, that maps every word to a single class symbol, is constructed from the original tag-based lexicon, that maps every word to a set of alternative tag symbols. In the class-based lexicon, the above c_1 (Eq. 2) could be represented, e.g., by the symbol “[ADJ NOUN VERB]”.

We describe a reduced ambiguity classes r_i also by a pair consisting of a tag list $\hat{t}(r_i)$ and a probability vector $\vec{p}(r_i)$. Intuitively, an r_i can be seen as a c_i where some of the less likely tags have been removed. Since at this point we cannot decide which tags are less likely, all possible subclasses of all c_i are considered. To generate a complete set of r_i , all c_i are split into all possible subclasses s_{ij} that are assigned a tag list $\hat{t}(s_{ij})$ containing a subset of the tags of $\hat{t}(c_i)$, and an (un-normalized) probability vector $\vec{p}(s_{ij})$ containing only the relevant elements of $\vec{p}(c_i)$. For example, the above c_1 (Eq. 2) is split into seven subclasses s_{1j} :

$$\begin{aligned} \hat{t}(s_{1,0}) &= \langle \text{ADJ}, \text{NOUN}, \text{VERB} \rangle & \vec{p}(s_{1,0}) &= \begin{bmatrix} 0.29 \\ 0.60 \\ 0.11 \end{bmatrix} \\ \hat{t}(s_{1,1}) &= \langle \text{NOUN}, \text{VERB} \rangle & \vec{p}(s_{1,1}) &= \begin{bmatrix} 0.60 \\ 0.11 \end{bmatrix} \\ \hat{t}(s_{1,2}) &= \langle \text{ADJ}, \text{VERB} \rangle & \vec{p}(s_{1,2}) &= \begin{bmatrix} 0.29 \\ 0.11 \end{bmatrix} \end{aligned} \quad (3)$$

etc.

Different c_i can produce a s_{ij} with the same tag list $\hat{t}(s_{ij})$ but with different probability vectors $\vec{p}(s_{ij})$; e.g., the classes with the tag lists $\langle \text{ADJ}, \text{NOUN}, \text{VERB} \rangle$, $\langle \text{NOUN}, \text{VERB} \rangle$, and $\langle \text{ADJ}, \text{ADV}, \text{NOUN}, \text{VERB} \rangle$ can all produce a subclass with the tag list $\langle \text{NOUN}, \text{VERB} \rangle$. To reduce the total number of subclasses, all s_{ij} with the same tag list $\hat{t}(s_{ij})$ are clustered, based on the *centroid method* (Romesburg 1989, p. 136), using the *vector cosine* as the similarity measure between clusters (Salton and McGill 1983, p. 201). Each final cluster constitutes a reduced ambiguity class

r_y . If we obtain, e.g., three r_y with the same tag list $\hat{t}(r_y) = \langle \text{NOUN}, \text{VERB} \rangle$ but with different (re-normalized) probability vectors:

$$\vec{p}(r_1) = \begin{bmatrix} 0.89 \\ 0.11 \end{bmatrix} \quad \vec{p}(r_2) = \begin{bmatrix} 0.57 \\ 0.43 \end{bmatrix} \quad \vec{p}(r_3) = \begin{bmatrix} 0.09 \\ 0.91 \end{bmatrix} \quad (4)$$

we represent them in an FST by three different symbols, e.g., “[NOUN VERB]_R_1”, “[NOUN VERB]_R_2”, and “[NOUN VERB]_R_3”.

3 Contextual Probabilities

T_1 will map a sequence of c_i , from left to right, to a sequence of r_i . Therefore, the construction of T_1 requires estimating the most likely r_i in the context of both the current c_i and the previous r_{i-1} (wrt. the current position i in a sequence). To determine this r_i , a probability $P_{T_1}(t_{ij})$ is estimated for every POS tag t_{ij} in c_i . In the initial position, $P_{T_1}(t_{ij})$ depends on the preceding sentence boundary $\#_{i-1}$ and the current c_i which are assumed to be mutually independent:

$$\begin{aligned} P_{T_1}(t_{ij}) &= p(t_{ij} | \#_{i-1} c_i) \\ &= \frac{p(t_{ij} \#_{i-1} c_i)}{p(\#_{i-1} c_i)} \\ &= \frac{p(\#_{i-1} c_i | t_{ij}) \cdot p(t_{ij})}{p(\#_{i-1} c_i)} \\ &\approx \frac{p(\#_{i-1} | t_{ij}) \cdot p(c_i | t_{ij}) \cdot p(t_{ij})}{p(\#_{i-1}) \cdot p(c_i)} \\ &= \frac{\frac{p(\#_{i-1} t_{ij})}{p(t_{ij})} \cdot \frac{p(c_i t_{ij})}{p(t_{ij})} \cdot p(t_{ij})}{p(\#_{i-1}) \cdot p(c_i)} \\ &= \frac{p(t_{ij} \#_{i-1}) \cdot p(t_{ij} c_i)}{p(t_{ij}) \cdot p(\#_{i-1}) \cdot p(c_i)} \\ &= \frac{p(t_{ij} | \#_{i-1}) \cdot p(t_{ij} | c_i)}{p(t_{ij})} \end{aligned} \quad (5)$$

The latter $p(t_{ij} | c_i)$ can be extracted from the probability vector $\vec{p}(c_i)$, and $p(t_{ij} | \#_{i-1})$ and $p(t_{ij})$ can be estimated from the training corpus.

In another than the initial position, $P_{T_1}(t_{ij})$ depends on the preceding r_{i-1} and the current c_i which are assumed to be mutually independent:

$$P_{T_1}(t_{ij}) = p(t_{ij} | r_{i-1} c_i) \approx \frac{p(t_{ij} | r_{i-1}) \cdot p(t_{ij} | c_i)}{p(t_{ij})} \quad (6)$$

The latter $p(t_{ij}|r_{i-1})$ is estimated by:

$$\begin{aligned} p(t_{ij}|r_{i-1}) &= \sum_k p(t_{ij}|t_{i-1,k}) \cdot p(t_{i-1,k}|r_{i-1}) \\ &\quad \text{with } t_{ij} \in \hat{t}(c_i) ; t_{i-1,k} \in \hat{t}(r_{i-1}) \end{aligned} \quad (7)$$

where $p(t_{ij}|t_{i-1,k})$ can be estimated from the training corpus, and $p(t_{i-1,k}|r_{i-1})$ can be extracted from the probability vector $\vec{p}(r_{i-1})$ of the preceding r_{i-1} .

To evaluate all tags of the current c_i , a list $\hat{\mathcal{P}}(c_i)$ containing pairs $\langle t_{ij}, P_{T_1}(t_{ij}) \rangle$ of all tags t_{ij} of c_i with their probabilities $P_{T_1}(t_{ij})$ (Eq.s 5, 6), is created:

$$\hat{\mathcal{P}}(c_i) = \begin{pmatrix} \langle t_{i,1}, P_{T_1}(t_{i,1}) \rangle \\ \langle t_{i,2}, P_{T_1}(t_{i,2}) \rangle \\ \vdots \\ \langle t_{i,j}, P_{T_1}(t_{i,j}) \rangle \\ \vdots \end{pmatrix} \quad (8)$$

Every tag t_{ij} in $\hat{\mathcal{P}}$ is compared to the most likely tag $t_{i,m}$ in $\hat{\mathcal{P}}$. If the ratio of their probabilities is below a threshold τ , t_{ij} is removed from $\hat{\mathcal{P}}$:

$$\frac{P_{T_1}(t_{ij})}{P_{T_1}(t_{i,m})} < \tau \quad (9)$$

Removing less likely tags leads to a reduced list $\hat{\mathcal{P}}_r(c_i)$ that is then split into a reduced tag list $\hat{t}_r(c_i)$ and a reduced probability vector $\vec{p}_r(c_i)$ that jointly describe a reduced ambiguity class r_y . From among all predefined r_i (cf. e.g. Eq. 4), we select the one that has the same tag list $\hat{t}(r_i)$ as the “ideal” reduced class r_y and the most similar probability vector $\vec{p}(r_i)$ according to the cosine measure. This r_i is considered to be the most likely among all predefined r_i in the context of both the current c_i and the previous r_{i-1} .

T_2 will map a sequence of r_i , from right to left, to a sequence of tags t_i . Therefore, the construction of T_2 requires estimating the most likely t_i in the context of both the current r_i and the following t_{i+1} . To determine this t_i , a probability $P_{T_2}(t_{ij})$ is estimated for every tag t_{ij} of the current r_i . In the final position, $P_{T_2}(t_{ij})$ depends on the current r_i and on the following sentence boundary $\#_{i+1}$:

$$P_{T_2}(t_{ij}) = p(t_{ij}|r_i \#_{i+1}) \approx \frac{p(t_{ij}|\#_{i+1}) \cdot p(t_{ij}|r_i)}{p(t_{ij})} \quad (10)$$

In another than the final position, $P_{T_2}(t_{ij})$ depends on the current r_i and the following tag t_{i+1} :

$$P_{T_2}(t_{ij}) = p(t_{ij}|r_i t_{i+1}) \approx \frac{p(t_{ij}|t_{i+1}) \cdot p(t_{ij}|r_i)}{p(t_{ij})} \quad (11)$$

The latter $p(t_{ij})$, $p(t_{ij}|t_{i+1})$, and $p(t_{ij}|\#_{i+1})$ are estimated from the training corpus, and $p(t_{ij}|r_i)$ is extracted from the probability vector $\vec{p}(r_i)$.

The t_i with the highest probability $P_{T_2}(t_i)$ is the most likely tag in the context of both the current r_i and the following t_{i+1} (Eq.s 10, 11).

4 Construction of the FSTs

The construction of T_1 is preceded by defining all c_i and r_i , and estimating their contextual probabilities. In this process, all words in the training corpus, that are initially annotated with POS tags, are in addition annotated with ambiguity classes c_i .

In T_1 , one state is created for every r_i (output symbol), and is labeled with this r_i (Fig. 2a). An initial state, not corresponding to any r_i , is created in addition. From every state, one outgoing arc is created for every c_i (input symbol), and is labeled with this c_i . The destination of every arc is the state of the most likely r_i in the context of both the current c_i (arc label) and the preceding r_{i-1} (source state label) which is estimated as described above. All arc labels are then changed from simple symbols c_i to symbol pairs $c_i : r_i$ (mapping c_i to r_i) that consist of the original arc label and the destination state label. All state labels are removed (Fig. 2b). Those r_i that are unlikely in any context disappear from T_1 because the corresponding states have no incoming arcs. T_1 accepts any sequence of c_i and maps it, from left to right, to the sequence of the most likely r_i in the given left context.



Figure 2: Two stages in the construction of T_1

The construction of T_2 is preceded by annotating the training corpus in addition with reduced ambiguity classes r_i , by means of T_1 . The probability vectors $\vec{p}(r_i)$ of all r_i are then re-estimated. The contextual probabilities of tags, are estimated only at this point (Eq.s 10, 11).

In T_2 , one state is created for every t_i (output symbol), and is labeled with this t_i (Fig. 3a). An initial state is added. From every state, one outgoing arc is created for every r_i (input symbol) that occurs in the output language of T_1 , and is labeled with this r_i . The destination of every arc is the state of the most likely t_i in the context of both the current r_i (arc label) and the following t_{i+1} (source state label) which is estimated as described above. Note, this is the following tag, rather than the preceding, because T_2 will be applied from right to left. All arc labels are then changed into symbol pairs $r_i : t_i$ and all state labels are removed (Fig. 3b), as was done in T_1 . T_2 accepts any sequence of r_i , generated by T_1 , and maps it, from

right to left, to the sequence of the most likely t_i in the given right context.



Figure 3: Two stages in the construction of T_2

Both T_1 and T_2 are sequential. They can be minimized with standard algorithms. Once T_1 and T_2 are built, the probabilities of all t_i , r_i , and c_i are of no further use. Probabilities do not explicitly occur in the FSTs, and are not directly used at run time. They are, however, “reflected” by the structure of the FSTs.

5 Application of the FSTs

Our FST tagger uses the above described T_1 and T_2 , a class-based lexicon, and possibly a guesser to predict the ambiguity classes of unknown words (possibly based on their suffixes). The lexicon and guesser are also sequential FSTs, and map any word that they accept to a single symbol c_i representing an ambiguity class (Fig. 1). If a word cannot be found in the lexicon, it is analyzed by the guesser. If this does not provide an analysis either, the word is assigned a special c_i for unknown words that is estimated from the m most frequent tags of all words that occur only once in the training corpus.

The sequence of the c_i of all words of one sentence is the input to our FST cascade (Fig. 1). It is mapped by T_1 , from left to right, to a sequence of reduced ambiguity classes r_i . Intuitively, T_1 eliminates the less likely tags from c_i , thus creating r_i . Finally, T_2 maps the sequence of r_i , from right to left, to an output sequence of single POS tags t_i . Intuitively, T_2 selects the most likely t_i from every r_i .

6 Results

We compared our FST tagger on English, German, and Spanish with a commercially available (foreign) HMM tagger (Table 1). The comparison was made on the same non-overlapping training and test corpora for both taggers (Table 3). The FST tagger was on average 10 times as fast but slightly less accurate than the HMM tagger (45 600 words/sec and 96.97% versus 4 360 words/sec and 97.43%). In some applications such as Information Retrieval a significant speed increase could be worth the small loss in accuracy.

		English	German	Spanish	Average
Speed (words/sec)	$T_1 + T_2$	47 600	42 200	46 900	45 600
	HMM	4 110	3 620	5 360	4 360
Accuracy (%)	$T_1 + T_2$	96.54	96.79	97.05	96.97
	HMM	96.80	97.55	97.95	97.43

Computer: SUN Workstation, Ultra2, with 1 CPU

Table 1: Processing speed and accuracy of the FST and the HMM taggers

	English	German	Spanish	Average
# States	615	496	353	488
# Arcs	209 000	197 000	96 000	167 000
# Tags	76	67	56	66
# Ambiguity classes	349	448	265	354
# Reduced ambiguity classes	724	732	465	640

Table 2: Sizes of the FST cascades and their alphabets

	English	German	Spanish	Average
Training corpus size (words)	20 000	91 000	16 000	42 000
Test corpus size (words)	20 000	40 000	15 000	25 000

Table 3: Sizes of the training and test corpora

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