
Phylogenetic Analysis Using Complete Signature Information of Whole Genomes and Clustered Neighbor-Joining Method

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Abstract: The availability of complete genomic sequences allows us to infer the evolutionary footprints for species more precisely at a global scale. However, the size of these genomic sequences poses a challenge on computational efficiency and optimality of information representation in phylogenetic analyses. In this paper, a new method called *complete composition vector (CCV)*, which is a collection of composition vectors, is described to infer evolutionary relationships between species using their complete genomic sequences. Such a method bypasses the complexity of performing multiple sequence alignments and avoids the ambiguity of choosing individual genes for species tree construction. It is expected to effectively retain the rich evolutionary information contained in the whole genomic sequence. The method was applied to infer the evolutionary footprints for several datasets that have been previously studied. The final phylogenies were built by an improved *clustered* Neighbor-Joining method. The generated phylogenetic trees are highly consistent with taxonomy hierarchy and previous studies, with some biologically interesting disagreements.

Keywords: Whole genome phylogeny, composition vector, Neighbor-Joining, clustering

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1 Introduction

Molecular phylogenetic analyses have been employed widely in the fundamental understanding of evolutionary footprints for various sets of species. Traditional molecular phylogenetic approaches, such as maximum parsimony, utilize only par-

tial nucleotide or amino acid sequence of each species, mostly due to their limited computing strength. It is well known that the analyses using different parts of sequence information may generate conflicting results for the evolutionary pathways of a same set of species. The advances in sequencing technologies have produced a vast amount of sequence data, typically whole genomes for the interested living organisms. Such an availability of whole genomic data provides us an opportunity to analyze the evolutionary footprints of living organisms at the genome scale. Nonetheless, this huge amount of data poses challenges for both information representation and computational complexity resolving.

During the past a few years, a number of efforts have been contributed to phylogenetic analyses using whole genomic sequences, which could be either whole genomes, or complete gene sequence sets, or complete protein sequence sets [4, 8, 9, 10, 11, 12, 14, 15, 16, 17, 19, 21, 22, 23, 24, 25, 26, 27]. These approaches all avoid the high computational complexity of multiple sequence alignment (including genome reorganization) to compute an evolutionary distance between species, which is a big challenge in distance-based phylogenetic analyses. Based on the nature of their proposed distance measurements, these methods can be classified into the following three categories: (1) Gene content based [11, 12, 21, 23]. In these methods, the evolutionary distance between two species is measured as the number of homologous genes divided by the total number of genes, or its variants. (2) Data compression based. Extended from plain text or image data compression, regularities identified in genetic sequences by compression algorithms are assumed to represent biological significance for evolutionary history [8, 16]. These methods include Kolmogorov complexity [4, 14], gzip [1], and Lempel-Ziv compression algorithm [13, 31]. It has been noted that due to the involvement of several sophisticated procedures, these compression-based methods generally suffer from aggregated errors. (3) String composition based. It is found that some short palindromes are underrepresented in many bacterial genomic sequences and thus the numbers of their occurrences might serve as species-specific signatures [9]. String composition is a comprehensive representation of the genome. Different evolutionary distance measurements have been proposed to utilize string composition, based on the composition vector on short strings of a fixed length [7, 10, 17], or on the information discrepancy of short strings of a fixed length [15], or on the singular value decomposition (SVD) of a tri/tetra-peptide frequency matrix [25, 26]. Essentially, they utilized either partial [10, 15] or some abstracted [25] string composition information.

In this paper, we propose a new evolutionary information representation, *complete composition vector (CCV)*, by using a collection of composition vectors. These composition vectors are built on the frequencies of length- k strings, where k is within a range. The range of k is empirically determined to ensure that the CCV contains the largest amount of evolutionary information hidden in the whole genomic data. CCV is developed on top of composition vector but it is not a simple extension of composition vector whereby several disadvantages such as the disconnectivity between composition vectors have been overcome. By its nature, CCV can be classified into the third category in the above. A new evolutionary distance measurement based on CCV is then designed, and empirically verified through the phylogenetic footprint analyses of a dataset of 64 vertebrate mitochondria and a dataset of 99 microbial whole genomes. For this purpose, we have integrated a clustering algorithm, *k-medoids*, into the ordinary Neighbor-Joining method [20]

to construct phylogenies in a layered style. Such a variant is called the *clustered* Neighbor-Joining.

2 Methods and Material

The nucleotide composition and the amino acid composition have been widely applied in analyzing genetic sequences, and they are employed as species signatures to define the evolutionary distance in phylogeny construction. String composition generalizes the notion to include longer consecutive segments, called *strings*, of the sequences into consideration [7, 10, 15, 17, 25, 26].

We noticed that, although the set of dinucleotide odd ratio values constitute a signature of each DNA genome, more interests have been shown in studying the protein product of DNA genome to identify the evolutionary closeness. As shown in [10], among the whole DNA genome sequences, coding regions and protein sequences, using protein sequences can discover more accurate phylogenetic relations. Peptide composition information has also been used to build composition profiles for proteins [29] and thus provides a view for evolutionary process. This is because protein sequences are far away from random, particularly some portions such as catalytic domains are under strong conservation pressure. In this paper, we concentrate on the analysis and the subsequent results on amino acid sequences.

In the more general and recent format along this line of research, composition vector (CV) [10], complete information set (CIS) [15], and tri/tetra-peptide composition [25] are three most recent evolutionary information representations for whole genome phylogeny construction. The complete composition vector (CCV) is to integrate the key strategies from both CV and CIS to retain the most evolutionary information. In the following subsections, we will first describe the concepts of CV and CIS respectively, and then CCV followed by a new evolutionary distance measurement based upon it. Lastly, the clustered Neighbor-Joining method to construct phylogenies in a layered style is presented.

2.1 Composition Vector

The k -th composition vector for a genomic sequence, represented as a set of its protein sequences, is defined on the set of length- k strings/peptides. In the simplest case, when $k = 1$, it reduces to single amino acid composition. In [10], the composition vector is computed in two stages, namely, counting and random background subtraction. Through these two steps, a complete protein sequence set is transformed into a composition vector. Note that there are in total 20^k distinct length- k strings to be considered. To illustrate, given a protein sequence S , in the counting stage, the total number of appearances of string $\alpha_1\alpha_2\dots\alpha_k$ in S , called the *frequency* and denoted as $f(\alpha_1\alpha_2\dots\alpha_k)$, is obtained. The *appearance probability* $p(\alpha_1\alpha_2\dots\alpha_k)$ of string $\alpha_1\alpha_2\dots\alpha_k$ in S is defined as

$$p(\alpha_1\alpha_2\dots\alpha_k) = \frac{f(\alpha_1\alpha_2\dots\alpha_k)}{L - k + 1}, \quad (1)$$

where L is the length of S and $(L - k + 1)$ is the total number of length- k strings in S . Such frequencies or probabilities imply the results of “random mutation and

selective evolution” in terms of using length- k strings as “building blocks”.

The next stage of computation is to remove the “random mutation” from the probabilities such that the remaining “selective evolution” information can be used as species-specific evolutionary evidence or signature. Such a process is based on the assumption that at the molecular level, mutations occur randomly and selections shape the direction of evolution with neutral random changes remained. The stage of random background subtraction is to highlight the role of selective evolution, and is described as follows.

When $k = 1$, the following subtraction process does not apply, and the vector of probabilities is adopted as the composition vector. Assuming $k \geq 2$, the probabilities of all length- k , length- $(k - 1)$, and length- $(k - 2)$ strings are calculated as in the above. (We set the probability for the empty string to be 1 [7].) From the probabilities of length- $(k - 1)$ and length- $(k - 2)$ strings, the *expected probability* of appearance of a length- k string $\alpha_1\alpha_2 \dots \alpha_k$, denoted as $p^0(\alpha_1\alpha_2 \dots \alpha_k)$, can be estimated by assuming a Markov model:

$$p^0(\alpha_1\alpha_2 \dots \alpha_k) = \begin{cases} \frac{p(\alpha_1\alpha_2 \dots \alpha_{k-1}) \times p(\alpha_2\alpha_3 \dots \alpha_k)}{p(\alpha_2\alpha_3 \dots \alpha_{k-1})}, & \text{if } p(\alpha_2\alpha_3 \dots \alpha_{k-1}) \neq 0, \\ 0, & \text{otherwise.} \end{cases} \quad (2)$$

We note that such a kind of Markov model estimation has been used for biological sequence analysis for a long time [2], and the dinucleotide odd ratio values in [7] is a special case for $k = 2$. $p^0(\alpha_1\alpha_2 \dots \alpha_k)$ is calculated to capture the extent of random mutation. The difference between the actual probability $p(\alpha_1\alpha_2 \dots \alpha_k)$ and the expected probability reflects the role of selective evolution, that is,

$$s(\alpha_1\alpha_2 \dots \alpha_k) = \begin{cases} \frac{p(\alpha_1\alpha_2 \dots \alpha_k) - p^0(\alpha_1\alpha_2 \dots \alpha_k)}{p^0(\alpha_1\alpha_2 \dots \alpha_k)}, & \text{if } p^0(\alpha_1\alpha_2 \dots \alpha_k) \neq 0, \\ 0, & \text{otherwise.} \end{cases} \quad (3)$$

The $s(\cdot)$ values for all length- k strings for species S are calculated and put together in a fixed indexing order, for instance the alphabetical order, to form the k -th *composition vector* for species S :

$$S^k = (s_1, s_2, \dots, s_{N_k}),$$

where $N_k = 20^k$ is the number of distinct length- k strings (for protein sequences). Note that in the above notation we used numerical indices rather than alphabetical ones of length- k strings, but such a mapping can be easily specified.

2.2 Complete Information Set

The concept of *Complete Information Set* (CIS) was first proposed in phylogenetic studies by Li *et al.* [15], but not fully used in their real computations. Given a sequence S with length of L , for every integer k in the range $[1, L]$, the appearance probability $p(\alpha_1\alpha_2 \dots \alpha_k)$ for each length- k string $\alpha_1\alpha_2 \dots \alpha_k$ is computed as in Equation (1). These $p(\cdot)$ values for all the distinct length- k strings form the k -th *information set* U^k for sequence S . The collection of information sets (U^1, U^2, \dots, U^L) contain all primary information of S (in particular the L -th information set U^L uniquely determines S), and it is called the Complete Information Set of sequence S . An evolutionary distance measures the information discrepancy

based on the CIS and it is employed in [15] for whole genome phylogenetic analysis. It should be mentioned that in [15], however, not the CIS (U^1, U^2, \dots, U^L) but only one information set $U^{\ell_{\max}}$ of a fixed window size ℓ_{\max} was used in the calculation of pairwise evolutionary distance. Their empirical studies showed that ℓ_{\max} is usually small, for example, $\ell_{\max} = 12$ if $L \approx 100\text{Mb}$. It is unclear though, according to [15], how the window size is related to input sequence length, although an empirical formula was given in the article. One criticism on CIS [15] has been that the method mainly depends on information theory, the discrepancy, rather than a meaningful biological model. It is also not obvious if the random mutation background can be removed by the measure of information discrepancy.

2.3 Complete Composition Vector and an Evolutionary Distance Measure

Composition vector is expected to effectively capture the signature information of natural selection that shapes the evolution through a background noise subtraction. However, the subtraction stage disconnects the k -th composition vector and the $(k-1)$ -th composition vector. For instance, in the k -th composition vector of sequence S , i.e. $S^k = (s_1, s_2, \dots, s_{N_k})$, the components $s(\alpha_1\alpha_2 \dots \alpha_k)$'s are not able to be used to recover $s(\alpha_1\alpha_2 \dots \alpha_{k-1})$'s or lower orders of components. This can be seen clearly at the extreme case when length- k strings become unique in given sequence S . In that extreme case, the $(k+2)$ -th composition vector becomes a zero vector and thus does not contain any information. Nonetheless, from the k -th information set $U^k = \{p_1, p_2, \dots, p_{N_k}\}$, the $(k-1)$ -th information set U^{k-1} can be easily recovered. Thus, we propose the Complete Composition Vector (CCV), a new evolutionary information representation method, to integrate the idea of ‘‘random mutation background subtraction’’ in CV and the idea of ‘‘complete information’’ in CIS. The advantage of CCV over CV is to supplement the information loss in CV during the subtraction stage by using a collection of composition vectors ($S^{k_1}, S^{k_1+1}, \dots, S^{k_2}$), where k_1 and k_2 ($k_1 \leq k_2$) are two pre-determined bounds on the length of strings. The advantage of CCV over CIS is to remove random mutation background from the evolutionary distance calculation. Intuitively, by setting $k_1 = 1$ and $k_2 = L$, CCV would capture the most comprehensive evolutionary information for the target species as CIS does, yet remove background noise as CV does. In the next section, we will have an experiment designed to empirically determine k_1 and k_2 , since composition vectors on too short and too long strings carry little evolutionary information. We found that $k_1 = 3$ and $k_2 = 7$ is one of the best settings. Note also that by narrowing down the length range, the computation becomes more efficient.

To compute the evolutionary distance between two species, we represent the species as vectors in the high dimensional space using their CCVs. We use the cosine of the angle formed by two representing vectors to be the relative relatedness (correlation) between the two species. Such a correlation has been adopted in some other papers such as [10, 25], and it is based on the observations that a pair of molecular sequences having similar compositions of short strings would be represented in high dimensional space by only two slightly different vectors and as the evolution diverges, the vector representations start to separate in the high-dimensional space and thus the angle between their vectors is increasing at the same time. A theoretical and empirical justification for the use of cosines to measure relatedness

can be found in [18]. Once the relative relatedness of two species is identified, it is trivial to convert it into a distance measure [10, 25]. In this way, a pairwise distance matrix can be constructed which is then fed into the standard distance based phylogeny construction methods, such as the Neighbor-Joining method [20], to generate phylogenies.

Given the string length range $[k_1, k_2]$, for any two species with their genomic sequences S and T , their CCV's are

$$\mathcal{S} = (S^{k_1}, S^{k_1+1}, \dots, S^{k_2}) \text{ and } \mathcal{T} = (T^{k_1}, T^{k_1+1}, \dots, T^{k_2}).$$

The correlation $C(\mathcal{S}, \mathcal{T})$ is defined as follows, which is the cosine of the angle between the above two vectors:

$$C(\mathcal{S}, \mathcal{T}) = \frac{\sum_{j=k_1}^{k_2} \sum_{i=1}^{N_j} (s_i^j \times t_i^j)}{\sqrt{(\sum_{j=k_1}^{k_2} \sum_{i=1}^{N_j} (s_i^j)^2) \times (\sum_{j=k_1}^{k_2} \sum_{i=1}^{N_j} (t_i^j)^2)}}, \quad (4)$$

where s_i^j (t_i^j) is the i -th entry in the j -th composition vector for sequence S (T , respectively). $C(\mathcal{S}, \mathcal{T})$ is converted into an evolutionary distance between S and T as follows:

$$D(S, T) = -\ln \left(\frac{1 + C(\mathcal{S}, \mathcal{T})}{2} \right) \quad (5)$$

(in [10], $D(S, T) = \frac{1 - C(\mathcal{S}, \mathcal{T})}{2}$ is taken to measure the evolutionary distance).

2.4 String Length Range Empirical Determination

It is easily seen that single amino acid composition, or equivalently the 1st composition vector, might not contain sufficient evolutionary information. Similarly, as argued in Section 2.3, the k -th composition vector where k is large might not contain significant evolutionary information either. Therefore, to make the Complete Composition Vector the most effective, an important issue is to set the range $[k_1, k_2]$ of string length. There is no theory that has been developed and can be of immediate use for this purpose. We chose to determine the range empirically. The outline of the determination process is as follows. To determine the upper bound k_2 : For this purpose, we set the starting value for k_2 to be 11. Using range $[\ell, k_2]$, where $\ell = 1, 2, \dots, 6$, in the CCV-based evolutionary distance measure, we computed a distance matrix D for the set of 64 vertebrate species using their whole sets of mitochondrial protein sequences (the vertebrate data introduced in Section 3.1). We employed three different ways to evaluate the significance of the k_2 -th composition vector.

1. Besides matrix D , we computed another distance matrix D' using range $[\ell, k_2 - 1]$. We defined the difference $d(D, D')$ between these two distance matrices D and D' as follows:

$$d(D, D') = \sum_{i,j} \frac{|D_{ij} - D'_{ij}|}{D'_{ij}}.$$

We observed that for every $\ell = 1, 2, \dots, 6$, $d(D, D')$ is very close to 0 for $k_2 = 11, 10, 9, 8$ (results not shown).

2. Again we computed matrix D' , besides D . We then turned to compute the quartet topologies for every subset of 4 species, using the corresponding distance sub-matrices of dimension 4×4 in D and D' , respectively. We adopted the four-point method [6] in this work. Let Q and Q' denote the set of quartet topologies associated with D and D' , respectively. We used the number of quartet topologies that are in $Q - Q'$ to measure the difference $d(D, D')$ between D and D' . Again, we observed that for every $\ell = 1, 2, \dots, 6$, $d(D, D')$ is close to 0 for $k_2 = 11, 10, 9, 8$ (results not shown).
3. The third method has to do with the distance-based phylogeny construction method Neighbor-Joining [20]. Similarly, we computed matrix D' besides D . For both D and D' , we applied the Neighbor-Joining method to construct phylogenies T and T' , respectively. Let Q and Q' denote the set of quartet topologies induced from T and T' , respectively. We used the number of quartet topologies that are in $Q - Q'$ to measure the difference $d(D, D')$ between D and D' . Again, we observed that for every $\ell = 1, 2, \dots, 6$, $d(D, D')$ is very close to 0 for $k_2 = 11, 10, 9, 8$ (results not shown).

The above three evaluation methods gave consistent results that the complete composition vector converges when $k_2 \geq 7$, for every $\ell = 1, 2, \dots, 6$. Consequently, we finalized the length upper bound k_2 to be 7.

To determine the lower bound k_1 : For this purpose, we fixed $k_2 = 7$ and used the similar evaluation methods to evaluate the significance of the k -th composition vector, for $k = 1, 2, \dots, 6$, compared to the complete composition vector using length range $[k + 1, 7]$. The dataset used in the evaluation is again the vertebrate dataset containing 64 whole sets of mitochondrial protein sequences. We observed that the complete composition vector converges when $k \leq 3$ (results not shown). Consequently, we set $k_1 = 3$, which was used in all subsequent experiments.

2.5 Clustered Neighbor-Joining Phylogeny Construction and Statistical Evaluation

It is known that the ordinary Neighbor-Joining method [20] uses heuristics during computing the distance between intermediate pseudo-taxa and real taxa in each step. Therefore, it is likely to have accumulated inaccuracies in the final resultant phylogeny. We noticed that among the disagreements between CCV-based phylogenies built by the ordinary Neighbor-Joining method and the taxonomy trees, particularly when the input size is big as in the 99 microbial dataset, the most common ones are the displacements above class level. That is, the small groups within one class or phylum are correctly identified, but they are massaged into other branches together. One possible interpretation is that during the computation of the relative distances, once one species within a clade has been chosen to be the next taxa to merge into the current pseudo-taxa, all the others within the same clade will be merged afterwards immediately.

We propose here a *clustered* Neighbor-Joining method by integrating a clustering algorithm *k-medoids* as the first step in the phylogeny construction. In more details, given an $N \times N$ distance matrix for the input species set, a typical *k-medoids* algorithm is run to partition the N points into k clusters. The cost function that measures the average dissimilarity between a point and the medoid of its cluster is defined using the input distance intuitively. To reduce the bias brought by the

arbitrariness of selecting initial medoids, 200 runs of k -medoids are applied and the partition with the smallest cost is chosen. Once the k selected medoids and the corresponding clusters are obtained, the ordinary Neighbor-Joining method is used in each cluster to identify the evolutionary closeness between the species within it. The distances among medoids are extracted from the original $N \times N$ distance matrix and the ordinary Neighbor-Joining method is run once more to form the final phylogeny. As k is the only parameter required by the k -medoids algorithm, we run k from 1 to $\frac{N}{4}$ and select the best setting for k based on manual inspection between the final phylogenies and the taxonomy tree. In this way, we expect to overcome the potential drawbacks in the ordinary Neighbor-Joining method. Indeed, we found that the clustered Neighbor-Joining method performs consistently better than or at least as well as the ordinary version, in terms of the closeness to the taxonomy trees. This becomes more obvious when the size of the input dataset increases.

Besides the clustered Neighbor-Joining method, we have also utilized a bootstrapping procedure to statistically evaluate the output phylogenies. In the procedure, for every species with n protein sequences, we randomly remove $0.3n$ protein sequences from the pool. In the remaining pool, we randomly duplicate $0.3n$ protein sequences to ensure that there were n protein sequences in the pool at the end, though some of them might be duplicates. We generate in total 200 such re-sampled protein sequence sets for each species. From them, we form in total 200 datasets by randomly picking one re-sampled protein sequence set for each species. We run the CCV-based phylogeny construction algorithm on them to obtain 200 phylogenies. One consensus tree is computed using CONSENSUS program provided in PHYLIP package. The value assigned to a branch in the consensus tree is the number of occurrences of the branch in the 200 phylogenies.

3 Experimental Results and Discussions

We outline in the following the steps of operations in the CCV-based phylogeny construction:

- Step 1. For each species in the dataset (we have two datasets), use its set of protein sequences to compose the CCV using the length range [3, 7], as described in Sections 2.1–2.3.
- Step 2. For every pair of species, compute their evolutionary distance using Equations (4–5). This gives a distance matrix D for the set of species in the dataset.
- Step 3. Feed D into the clustered Neighbor-Joining method to construct a phylogeny.
- Step 4. Bootstrapping for 200 iterations to produce 200 phylogenies and feed them into CONSENSUS program provided in PHYLIP^a to construct a consensus tree.
- Step 5. The consensus tree is taken as the final output phylogeny, which is drawn using TreeView^b.

^a<http://evolution.genetics.washington.edu/phylip.html>

^b<http://taxonomy.zoology.gla.ac.uk/rod/treeview.html>

The experiments were done on IBM AIX5.2.0.0 with PowerPC POWER4 processor of 1.7GHz. The output phylogenies were compared to phylogenies constructed using some other methods such as CV-based and SVD-based. They were also compared to the gold standard taxonomy trees drawn through NCBI Taxonomy Common Tree [28].

3.1 Vertebrate Phylogeny

The vertebrate dataset [26] contains in total 832 mitochondrial proteins obtained from the whole mitochondrial genomes for 64 vertebrates, with 13 homologous proteins for each species. We adopt the abbreviations used in [26]. The readers may refer to [26] for the full names of the species. Using the dataset, the CCV-based phylogeny is shown in Figure 1. The taxonomy tree on these 64 vertebrates is shown in Figure 2. We can see that the constructed phylogeny is largely consistent with the taxonomy tree. For example, all perissodactyls, carnivores, cetartiodactyls, rodents, primates, non-eutherians, birds, reptiles, bony fish, and cartilaginous fish are correctly grouped together, as they show up in the taxonomy tree. For comparison purpose, we point out that the SVD-based phylogeny constructed in [26] has a very similar topology as our CCV-based phylogeny. However, there are two major disagreements among these three phylogenies: One is in the taxonomy tree *Teur*, *Eeur*, and *Ajam* are grouped together, but they are far from each other in the SVD-based phylogeny, while our CCV-based phylogeny puts two of them *Teur* and *Ajam* together; The other is though *Lcha* and *Porn* are bony fish and they are closely related in both the SVD-based and our CCV-based phylogenies, they are treated not too close in the taxonomy tree. These observations demonstrate that the CCV of one whole genome is an at least equally informative representation to the SVD-based representation. Another advantage of CCV is that it is more transparent and easily computed (SVD method involves a high complexity stage of matrix decomposition).

We also constructed the CV-based phylogeny for comparison purpose, according to the precise procedure described in [17], which is shown in Figure 3. This phylogeny confirms some consistencies in the SVD-based and the CCV-based phylogenies, for example, it also treats *Teur* and *Ajam* as close, but it contains many non-smooth details, for example, the bony fish branch becomes more loosely connected.

3.2 Microbial Phylogeny

Currently there are 225 completed sequenced microbial genomes available in NCBI database. These invaluable sequence data has brought an opportunity as well as a challenge to re-analyze the phylogenetic footprints at the molecular level. To test the effectiveness of CCV-based measure of pairwise evolutionary distance, we explored the phylogenetic relationships for microbes using their complete protein sequence sets. The standard taxonomy tree obtained through <http://ncbi.nlm.nih.gov/Taxonomy> was used to evaluate the results from the experiment.

Dataset. From 225 currently completed sequenced microbes available in NCBI

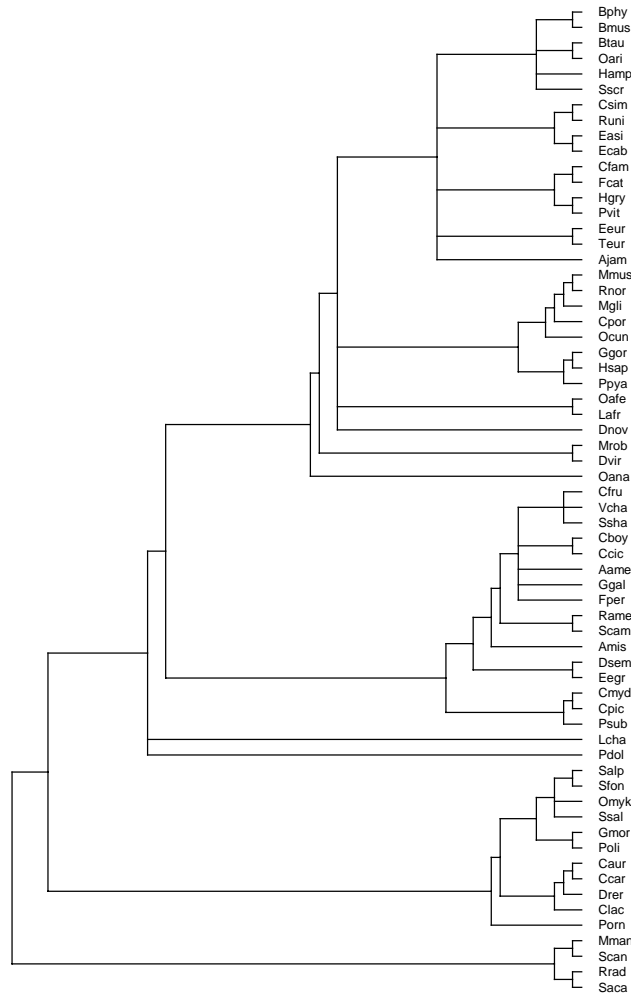


Figure 2 The taxonomy tree on the 64 vertebrates, extracted from NCBI.

teria: Alphaproteobacteria, Gammaproteobacteria, and Betaproteobacteria; (3) Firmicutes, Cyanobacteria, and Actinobacteria; (4) Firmicutes and Actinobacteria.

Results. We have also constructed the CV-based phylogeny, besides the CCV-based phylogeny. The three phylogenies for these 99 microbes, the CCV-based phylogeny, the taxonomy tree, and the CV-based phylogeny, are shown in Figures 4, 5, and 6.

In summary, most of the branches (up to class or even phylum levels) from the CCV-based phylogeny and the taxonomy tree are similar to each other. In more details, the CCV-based phylogeny has the following characteristics. The CCV-

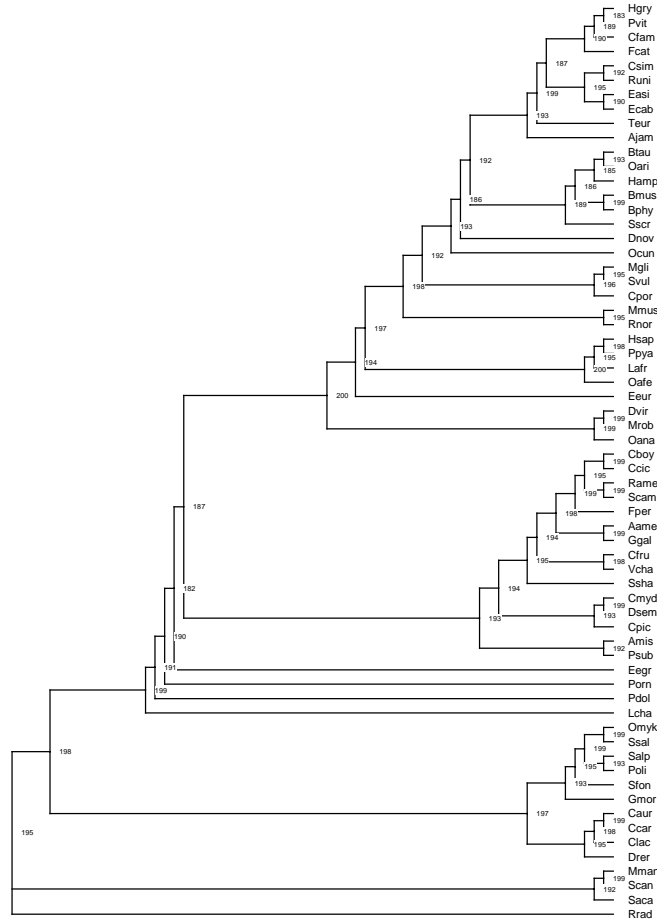


Figure 3 The consensus CV-based phylogeny on the 64 vertebrates, using string length 5. The number of trees in which a given cluster is observed is shown above the branch leading to that cluster, out of 200 trees.

based phylogeny can successfully recognize evolutionary closeness within species and thus group those strains together. This can be seen from the fact that species containing multiple strains, such as *Mycobacterium*, *Streptococcus*, and *Bacillus*, all have identical relationships as in the taxonomy tree. The genus level and family level can also be successfully recognized. All the phyla are correctly grouped together, and the trees show substantial areas of agreement with those of the believed true taxonomy, supported by the bootstrapping runs.

For comparison purpose, we also constructed CCV-based and CV-based phylo-

Full Name	Accession Number	Taxonomy (Phylum; Class)
<i>Agrobacterium tumefaciens</i> C58 Cereon	NC_003062	Proteobacteria; Alphaproteobacteria
<i>Sinorhizobium meliloti</i>	NC_003037	Proteobacteria; Alphaproteobacteria
<i>Bradyrhizobium japonicum</i>	NC_004463	Proteobacteria; Alphaproteobacteria
<i>Rhodopseudomonas palustris</i> CGA 009	NC_005296	Proteobacteria; Alphaproteobacteria
<i>Bartonella henselae</i>	NC_005956	Proteobacteria; Alphaproteobacteria
<i>Bartonella quinatana</i>	NC_005955	Proteobacteria; Alphaproteobacteria
<i>Brucella suis</i> 1330	NC_004310	Proteobacteria; Alphaproteobacteria
<i>Mesorhizobium loti</i>	NC_002678	Proteobacteria; Alphaproteobacteria
<i>Rickettsia prowazekii</i>	NC_000963	Proteobacteria; Alphaproteobacteria
<i>Rickettsia typhi</i> str. Wilmington	NC_006142	Proteobacteria; Alphaproteobacteria
<i>Rickettsia conorii</i>	NC_003103	Proteobacteria; Alphaproteobacteria
<i>Wolbachia endosymbiont of Brugia malayi</i>	NC_006833	Proteobacteria; Alphaproteobacteria
<i>Wolbachia endosymbiont of Drosophila m.</i>	NC_002978	Proteobacteria; Alphaproteobacteria
<i>Anaplasma marginale</i> str. St. Maries	NC_004842	Proteobacteria; Alphaproteobacteria
<i>Enrlichia ruminantium</i> str. Welgevonden	NC_005295	Proteobacteria; Alphaproteobacteria;
<i>Caulobacter vibrioides</i>	NC_002696	Proteobacteria; Alphaproteobacteria
<i>Zymomonas mobilis</i>	NC_006526	Proteobacteria; Alphaproteobacteria
<i>Silicibacter pomeroyi</i> DSS-3	NC_003911	Proteobacteria; Alphaproteobacteria
<i>Glucobacter oxydans</i> 621H	NC_006672	Proteobacteria; Alphaproteobacteria
<i>Salmonella enterica</i>	NC_006511	Proteobacteria; Gammaproteobacteria
<i>Yersinia pestis</i> KIM	NC_004088	Proteobacteria; Gammaproteobacteria
<i>Escherichia coli</i> K12	NC_000913	Proteobacteria; Gammaproteobacteria
<i>Blochmannia floridanus</i>	NC_005061	Proteobacteria; Gammaproteobacteria
<i>Vibrio vulnificus</i> CMCP6	NC_004459	Proteobacteria; Gammaproteobacteria
<i>Vibrio cholerae</i>	NC_002505	Proteobacteria; Gammaproteobacteria
<i>Photobacterium profundum</i> SS9	NC_005871	Proteobacteria; Gammaproteobacteria
<i>Xanthomonas campestris</i>	NC_003902	Proteobacteria; Gammaproteobacteria
<i>Xylella fastidiosa</i> Temecula1	NC_004554	Proteobacteria; Gammaproteobacteria
<i>Haemophilus ducreyi</i> 35000HP	NC_002940	Proteobacteria; Gammaproteobacteria
<i>Mannheimia succiniciproducens</i> MBEL55E	NC_006300	Proteobacteria; Gammaproteobacteria
<i>Pasteurella multocida</i>	NC_002663	Proteobacteria; Gammaproteobacteria
<i>Pseudomonas aeruginosa</i>	NC_002516	Proteobacteria; Gammaproteobacteria
<i>Acinetobacter</i> sp ADP1	NC_005966	Proteobacteria; Gammaproteobacteria
<i>Legionella pneumophila</i> Lens	NC_006366	Proteobacteria; Gammaproteobacteria
<i>Coziella burnetii</i>	NC_002971	Proteobacteria; Gammaproteobacteria
<i>Idiomarina loihiensis</i> L2TR	NC_006512	Proteobacteria; Gammaproteobacteria
<i>Methylococcus capsulatus</i> Bath	NC_002977	Proteobacteria; Gammaproteobacteria
<i>Bordetella bronchiseptica</i>	NC_002927	Proteobacteria; Betaproteobacteria
<i>Burkholderia mallei</i> ATCC 23344	NC_006348	Proteobacteria; Betaproteobacteria
<i>Ralstonia solanacearum</i>	NC_003295	Proteobacteria; Betaproteobacteria
<i>Neisseria meningitidis</i> MC58	NC_003112	Proteobacteria; Betaproteobacteria
<i>Azoarcus</i> sp EbN1	NC_006513	Proteobacteria; Betaproteobacteria
<i>Helicobacter pylori</i> 26695	NC_000915	Proteobacteria; Epsilonproteobacteria
<i>Wolinella succinogenes</i>	NC_005090	Proteobacteria; Epsilonproteobacteria
<i>Bdellovibrio bacteriovorus</i>	NC_005363	Proteobacteria; Deltaproteobacteria
<i>Streptococcus pyogenes</i> MGAS315	NC_004070	Firmicutes; Bacilli
<i>Streptococcus pyogenes</i> M1 GAS	NC_002737	Firmicutes; Bacilli
<i>Streptococcus thermophilus</i> CNRZ1066	NC_006449	Firmicutes; Bacilli
<i>Streptococcus pneumoniae</i> R6	NC_003098	Firmicutes; Bacilli
<i>Streptococcus agalactiae</i> NEM316	NC_004368	Firmicutes; Bacilli

Table 1 The set of 99 microbes and their associated properties (to be cont'd).

genies for four smaller datasets. All these results show that the CCV-based method can produce good phylogenies for various size datasets. From the phylogeny for four clades of microbes (Figures 7 and 8), it is evident that the CV-based phylogeny could place more branches in disagreement with the taxonomy tree than the CCV-based phylogeny. For example, in Figure 8, *Prochlorococcus marinus* MIT 9313 was put into phylum *Actinobacteria*, and *Propionibacterium acnes* KPA 171202 was put into phylum *Firmicutes*. Within phylum *Proteobacteria*, some branches belonging to different classes were also placed ambiguously. For instance, *Neisseria meningitidis* MC58 was put into *Alphaproteobacteria*. A few other similar disagreements

Full Name	Accession Number	Taxonomy (Phylum; Class)
<i>Lactococcus lactis</i>	NC_002662	Firmicutes; Bacilli
<i>Lactobacillus acidophilus</i> NCFM	NC_006814	Firmicutes; Bacilli
<i>Enterococcus faecalis</i> V583	NC_004668	Firmicutes; Bacilli
<i>Bacillus anthracis</i> str Sterne	NC_005945	Firmicutes; Bacilli
<i>Bacillus cereus</i> ATCC 10987	NC_003909	Firmicutes; Bacilli
<i>Bacillus thuringiensis</i> konkukian	NC_005957	Firmicutes; Bacilli
<i>Bacillus clausii</i> KSM-K16	NC_006582	Firmicutes; Bacilli
<i>Listeria innocua</i>	NC_003212	Firmicutes; Bacilli
<i>Mycoplasma gallisepticum</i>	NC_004829	Firmicutes; Mollicutes
<i>Ureaplasma urealyticum</i>	NC_002162	Firmicutes; Mollicutes
<i>Mesoplasma florum</i> L1	NC_006055	Firmicutes; Mollicutes
<i>Clostridium acetobutylicum</i>	NC_001988	Firmicutes; Clostridia
<i>Thermoanaerobacter tengcongensis</i>	NC_003869	Firmicutes; Clostridia
<i>Mycobacterium tuberculosis</i> CDC 1551	NC_002755	Actinobacteria; Actinobacteria
<i>Mycobacterium bovis</i>	NC_002945	Actinobacteria; Actinobacteria
<i>Mycobacterium avium</i> paratuberculosis	NC_002944	Actinobacteria; Actinobacteria
<i>Corynebacterium efficiens</i> YS 314	NC_004369	Actinobacteria; Actinobacteria
<i>Nocardia farcinica</i> IFM 10152	NC_006361	Actinobacteria; Actinobacteria
<i>Streptomyces avermitilis</i>	NC_003155	Actinobacteria; Actinobacteria
<i>Propionibacterium acnes</i> KPA 171202	NC_006085	Actinobacteria; Actinobacteria
<i>Bifidobacterium longum</i>	NC_004307	Actinobacteria; Actinobacteria
<i>Synechococcus elongatus</i> PCC 6301	NC_006576	Cyanobacteria; Chroococcales
<i>Thermosynechococcus elongatus</i>	NC_004113	Cyanobacteria; Chroococcales
<i>Prochlorococcus marinus</i> MIT 9313	NC_005071	Cyanobacteria; Prochlorales
<i>Gloeobacter violaceus</i>	NC_005125	Cyanobacteria; Gloeobacteria
<i>Chlamydomydia pneumoniae</i> AR39	NC_002179	Chlamydiae; Chlamydiae
<i>Chlamydomydia caviae</i>	NC_003361	Chlamydiae; Chlamydiae
<i>Chlamydia muridarum</i>	NC_002182	Chlamydiae; Chlamydiae
<i>Parachlamydia</i> sp UWE25	NC_005861	Chlamydiae; Chlamydiae
<i>Borrelia burgdorferi</i>	NC_000948	Spirochaetes; Spirochaetes
<i>Treponema denticola</i> ATCC 35405	NC_002967	Spirochaetes; Spirochaetes
<i>Leptospira interrogans</i> serovar Copenhageni	NC_005823	Spirochaetes; Spirochaetes
<i>Bacteroides fragilis</i> YCH46	NC_006297	Bacteroidetes; Bacteroidetes
<i>Porphyromonas gingivalis</i> W83	NC_002950	Bacteroidetes; Bacteroidetes
<i>Chlorobium tepidum</i> TLS	NC_002932	Chlorobi; Chlorobia
<i>Thermus thermophilus</i> HB27	NC_005835	Deinococcus-Thermus; Deinococci
<i>Deinococcus radiodurans</i>	NC_000958	Deinococcus-Thermus; Deinococci
<i>Aquifex aeolicus</i>	NC_000918	Aquificae; Aquificae
<i>Pyrococcus abyssi</i>	NC_000868	Euryarchaeota; Thermococci
<i>Thermococcus kodakaraensis</i> KOD1	NC_006624	Euryarchaeota; Thermococci
<i>Thermoplasma acidophilum</i>	NC_002578	Euryarchaeota; Thermoplasmata
<i>Picrophilus torridus</i> DSM 9790	NC_005877	Euryarchaeota; Thermoplasmata
<i>Haloarcula marismortui</i> ATCC 43049	NC_006389	Euryarchaeota; Halobacteria
<i>Methanosarcina acetivorans</i>	NC_003552	Euryarchaeota; Methanomicrobia
<i>Methanococcus jannaschii</i>	NC_000909	Euryarchaeota; Methanococci
<i>Archaeoglobus fulgidus</i>	NC_000917	Euryarchaeota; Archaeoglobi
<i>Sulfolobus solfataricus</i>	NC_002754	Crenarchaeota; Thermoprotei
<i>Pyrobaculum aerophilum</i>	NC_003364	Crenarchaeota; Thermoprotei
<i>Nanoarchaeum equitans</i>	NC_005213	Nanoarchaeota; Nanoarchaeum

Table 2 The set of 99 microbes and their associated properties (cont'd).

can also be spotted. Moreover, it is shown that some misplacements happen when the input dataset contains more phyla.

In the CV-based phylogeny for *Firmicutes*, *Cyanobacteria*, and *Actinobacteria* (Figure 9, right), *Gloeobacter violaceus*, grouped with *Bifidobacterium longum* from *Actinobacteria*, was put closer to *Firmicutes*; while in the CCV-based phylogeny (Figure 9, left) and the CV-based phylogeny for *Firmicutes* and *Actinobacteria* (Figure 10, right), no such misplacement was found.

We also found that CCV and CV have disagreements in deep branches within the same phyla, even they both have successfully recognized the clades (Figures

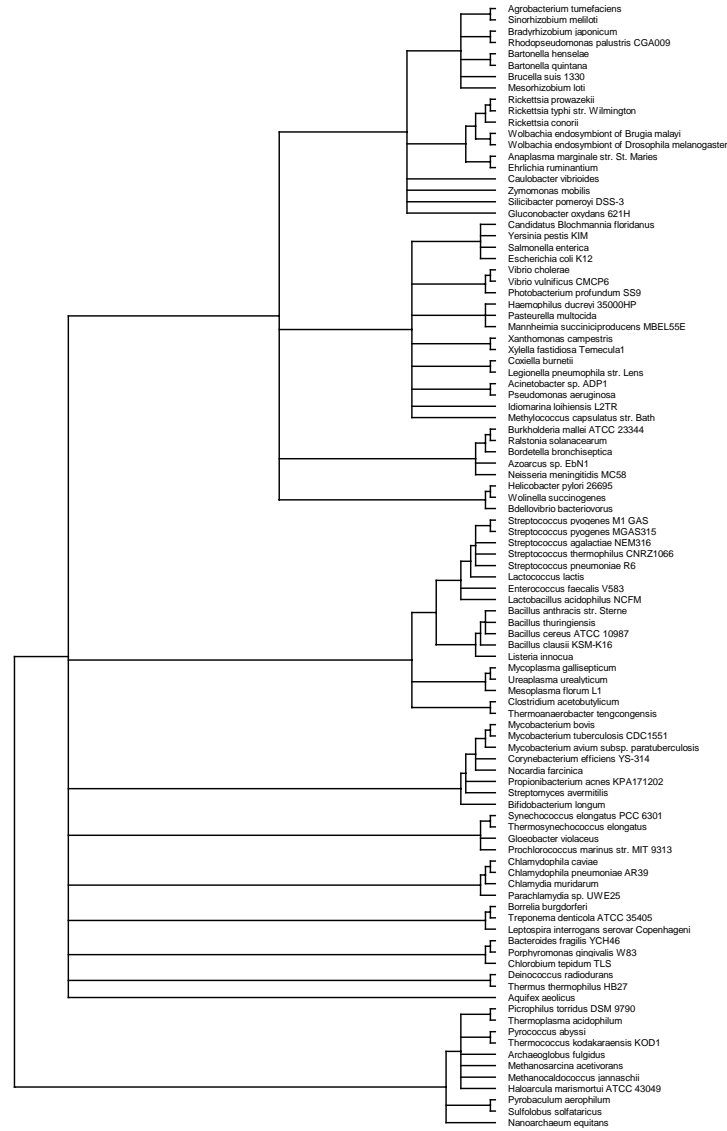


Figure 5 The taxonomy tree for the 99 microbial species extracted from NCBI.

These evidences support that close species in evolution share similarities at sequence level in terms of their composition information. On the other hand, our method does not consider all the possible mutation models other than site mutation, and thus that may cause ambiguous phylogeny inference in some deep branches as well. In this sense, we conclude that the CCV whole genome representation could

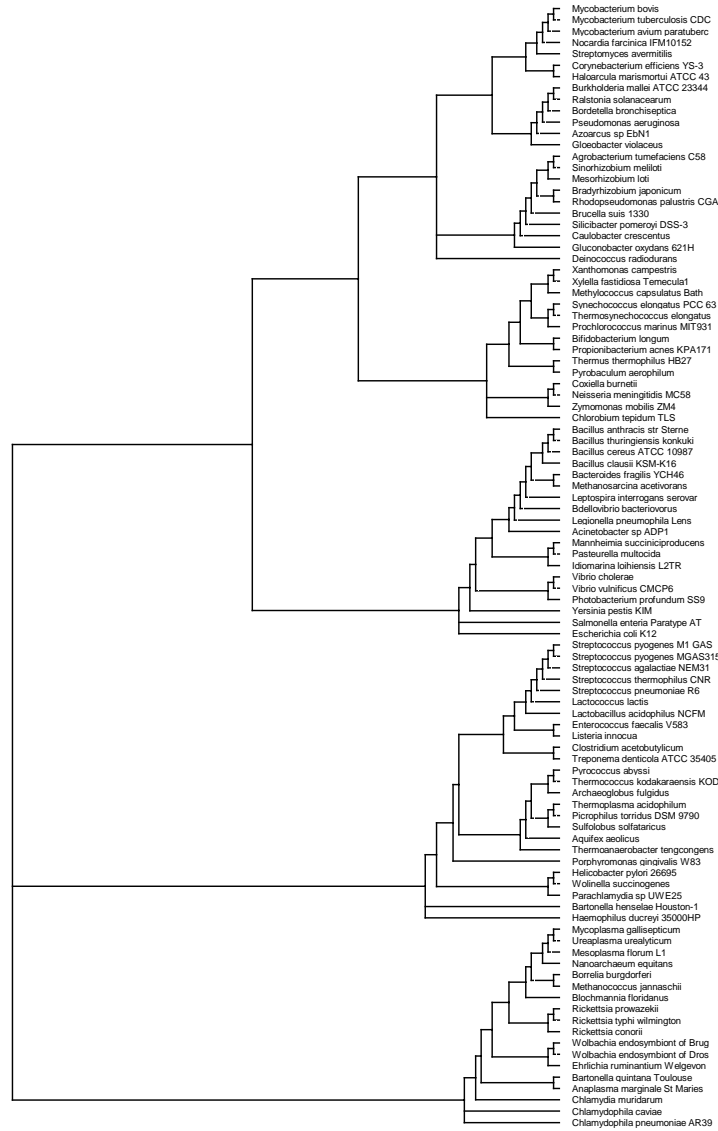


Figure 6 The CV-based phylogeny for the 99 microbial species.

be more informative than the CV representation.

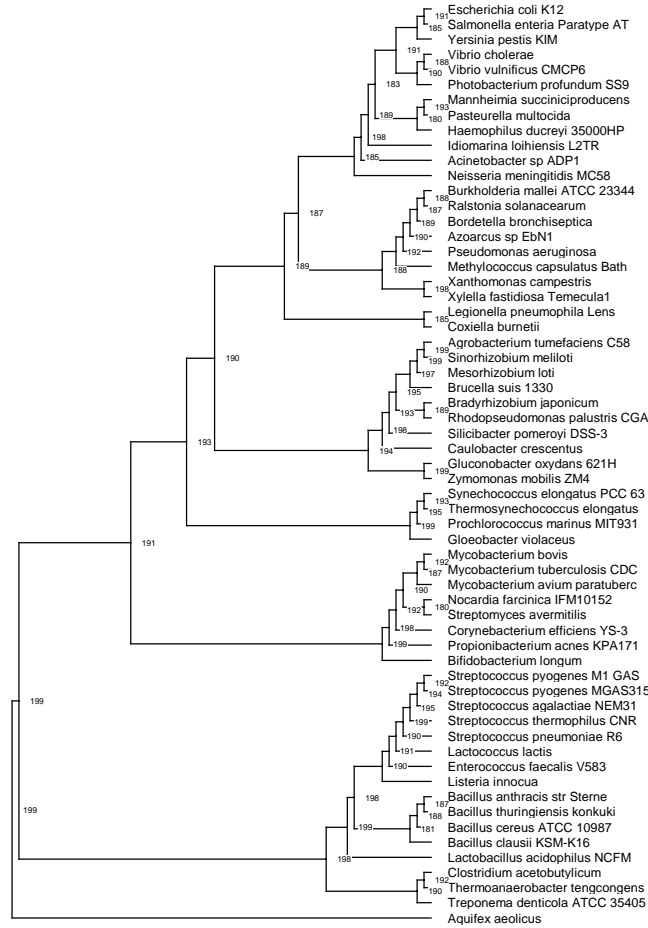


Figure 7 The CCV-based phylogeny for a sub-dataset of 4 clades of microbial species: *Proteobacteria*, *Firmicutes*, *Actinobacteria*, and *Cyanobacteria*.

4 Conclusions and Remarks

In this paper, we presented a new pairwise evolutionary distance measurement based on complete composition vector by integrating the key ideas in composition vector and complete information set. We also applied our method to infer the phylogeny footprints of 64 vertebrates and 99 microbes, through a clustered Neighbor-Joining method. The results demonstrated that the CCV-based evolutionary distance measure is more effective for whole genome phylogeny construction.

CCV may look similar to CV at the first glance, but it certainly differs from

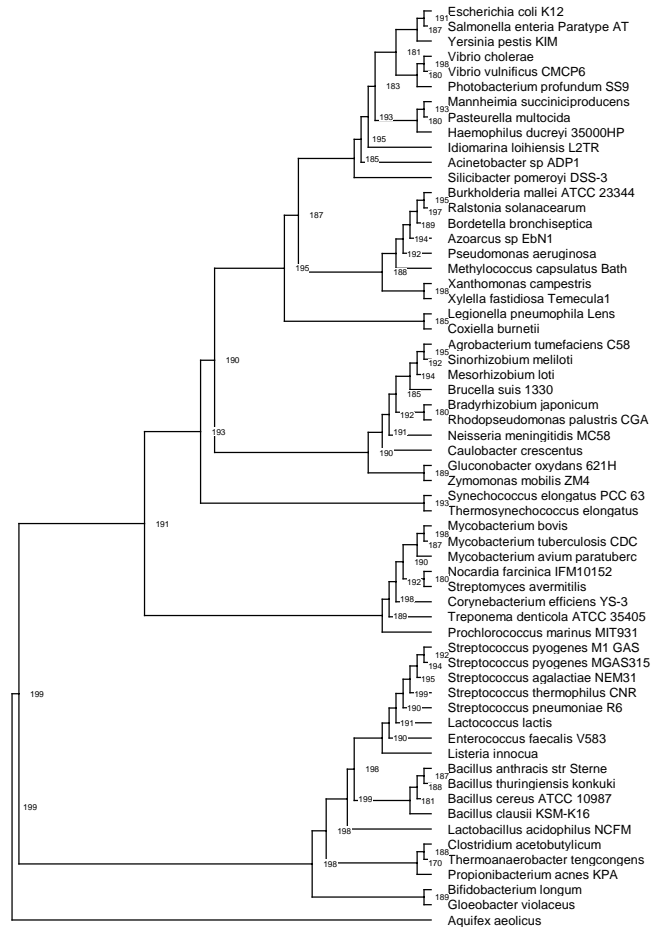


Figure 8 The CV-based phylogeny for a sub-dataset of 4 clades of microbial species: *Proteobacteria*, *Firmicutes*, *Actinobacteria*, and *Cyanobacteria*.

CV through using a collection of composition vectors. The key observation is that with only one fixed string length k , the k -th composition vector might lose the evolutionary information that is carried by shorter strings, particularly during the stage of random mutation subtraction in CV method. For this reason, the composition vectors of shorter strings are included to form a complete composition vector, similar to an idea in Complete Information Set (although that was not taken advantage of in their experiments).

It should be seen that the intensive computation is in the calculation of string appearance frequencies (probabilities) in all three approaches: CV, CIS, and CCV.

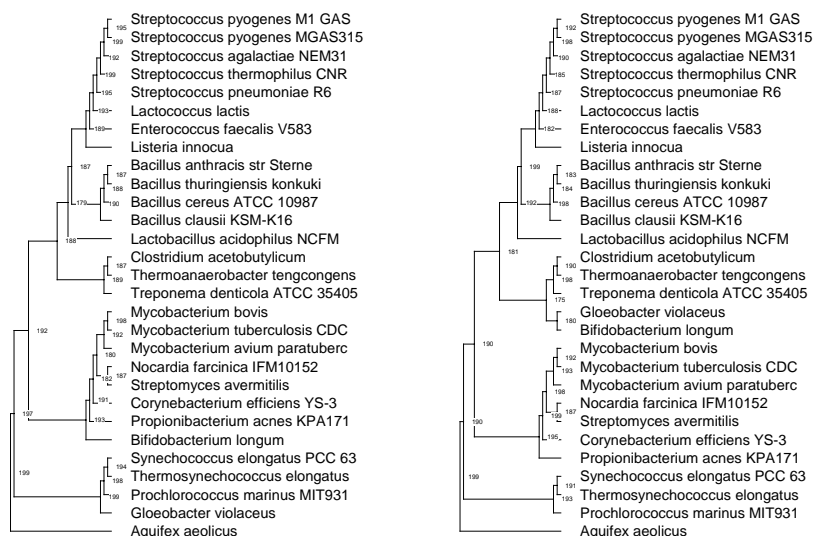


Figure 9 The CCV-based (left) and the CV-based (right) phylogenies for a sub-dataset of 3 clades of microbial species: *Firmicutes*, *Actinobacteria*, and *Cyanobacteria*.

Compared to CV and CIS, CCV uses a higher dimensional space to locate the representative vectors of species (if the maximum length of strings are set the same). Inevitably, CCV consumes more memory than CV and CIS. Nonetheless, a careful look reveals that CCV consumes no more than one third of memory that is consumed by CV when DNA sequences are used and no more than one nineteenth when protein sequences are used. On the other hand, our careful implementation does not hold all the frequencies in memory during the calculation, but only a small fraction of it. The observed memory consumption at the peak time in our second experiment was a little more than 1GB, which indicates that most experiments can be done on a typical desktop PC. In other words, with such a small fraction of increase in memory requirement and subsequently a little more CPU cycles, a higher resolution of evolutionary information between the species is obtained and the saturation of the representative vectors is avoided.

Within our analyses on the microbial dataset, we found most of the phylogenetic results based on CCV are similar to taxonomy tree. However, the branches for some species are not close to their families in the taxonomy tree. For instance, in the CCV-based phylogeny (Figure 4), the class *Bacilli* is partitioned into two parts — this has been picked up by both CCV-based and CV-based phylogenies for a sub-dataset shown in Figures 7 and 8. We suspected that the clustered Neighbor-Joining phylogeny construction method might still propagate distance errors through the iterations. We also believe that *lateral gene transfer* (LGT) [5] might play some roles, which is another subject of our future research.

In summary, the proposed new concept of complete composition vector and its associated evolutionary distance measurement are effective in whole genome

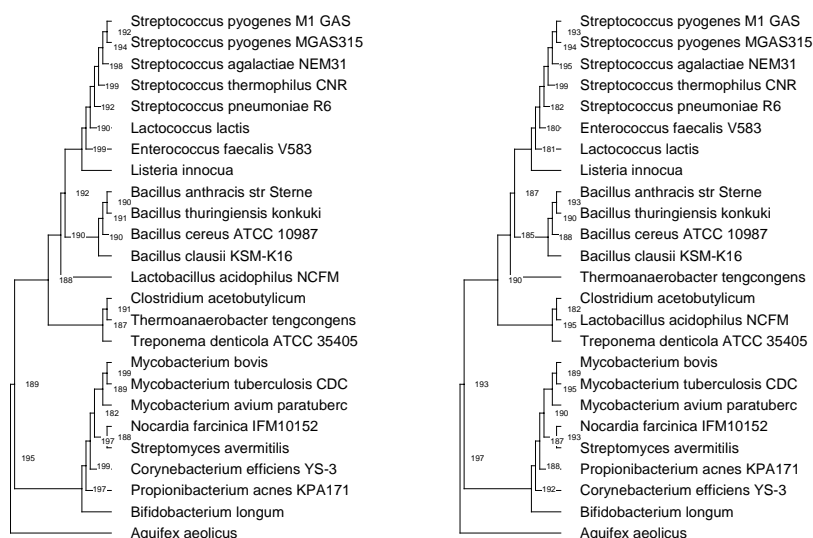


Figure 10 The CCV-based (left) and the CV-based (right) phylogenies for a sub-dataset of 2 clades of microbial species: *Firmicutes* and *Actinobacteria*.

phylogeny construction. We are planning to determine which subset(s) of strings might contain the most evolutionary information, by which, we might be able to reduce the vector dimension and thus the computational cost dramatically. We would also like to reduce the dimensionality by combining homologous strings [30], if appropriate. Based the observed disagreements between our generated phylogenies and the taxonomic standards, we will be looking into another possible application of CCV to infer LGT via recombination, by more examinations on multiple whole genome phylogenies constructed by various methods.

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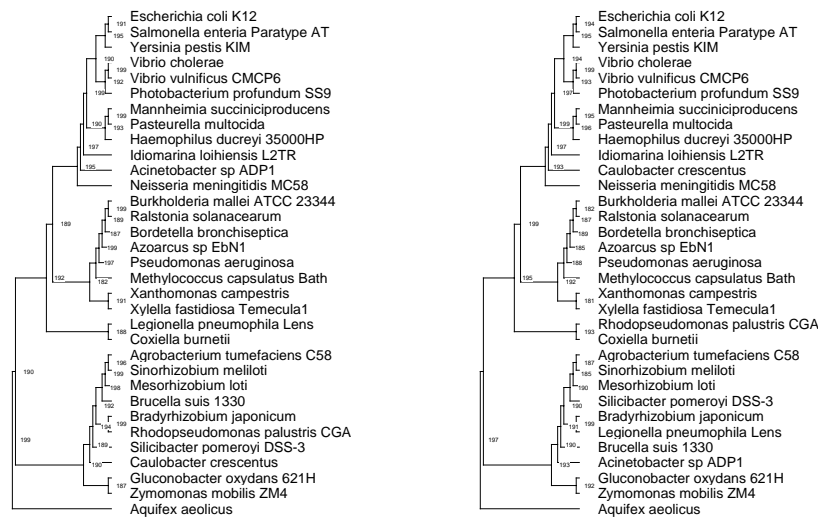


Figure 11 The CCV-based (left) and the CV-based (right) phylogenies for a sub-dataset of a single clade *Proteobacteria* of microbial species.

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