Cite this: Phys. Chem. Chem. Phys., 2012, 14, 257-261

Density functional theory calculations for two-dimensional silicene with halogen functionalization

Nan Gao, Wei Tao Zheng and Qing Jiang*

Received 25th August 2011, Accepted 11th October 2011 DOI: 10.1039/c1cp22719j

The electronic structures and band gaps of silicene (the Si analogue of graphene) adsorbed with halogen elements are studied using the density functional theory based screened exchange local density approximation method. It is found that the band gaps of silicene adsorbed with F, Cl, Br and I have a nonmonotonic change as the periodic number of the halogen elements increases. This is attributed to the transfer of contributions to band gaps from Si–Si bonding to Si–halogen bonding.

1. Introduction

With the miniaturization of Si-based integrated circuitry, nowadays the scaling of field effect transistors (FETs) is approaching its limit of performance improvement. Fortunately, the scaling theory predicts that a FET with a thin channel region will suppress short channel effects and make very short gate lengths feasible.¹ Two-dimensional single sheets mean the thinnest possible channels. Silicene,² the Si analogue of graphene, is a promising material for electronic applications while it supplies an ideal interface with existing Si devices and takes advantage of tractable material technology. Tremendous efforts have been devoted to the synthesis of silicene sheets^{3,4} and Si nanoribbons.⁵ A hexagonal Si single sheet has recently been grown on an Ag surface, providing direct evidence for the presence of two-dimensional silicene sheets,⁴ while theoretical studies of the stability of hexagonal Si single sheets go back to 1994.⁶ It is found that buckled silicene is a zero-gap semiconductor with bands crossing linearly at the Fermi level, which may attribute a massless Dirac fermion character to charge carriers.⁷ This possible extremely high carrier mobility makes silicene an ideal material, especially in FETs.

However, compared with the bulk 4-fold coordination, the surface Si atoms in silicene are unsaturated. Thus, the reactive surface should be stabilized upon adsorption of foreign atoms to saturate the dangling bonds. Moreover, in conventional FETs, for an excellent switching capability and a favorable on-off ratio, semiconducting channels with a sizeable band gap (E_g) are required.¹ To open the E_g , a natural and effective way is to convert silicene to sp³ hybridization *via* chemical functionalization.⁸ Theoretically, E_g of hydrogenated silicene (H-silicene) was predicted to be about 2 eV,⁹ twice that of bulk Si of 1.1 eV.

A general trend for conventional semiconductors is that the electron mobility decreases as E_g increases. Thus, H-silicene is unsuitable for channel materials and its E_g needs to be decreased.

It is reported that surface termination with halogen elements can modulate the electronic properties of Si nanowires.¹⁰ Moreover, substituting H in H-silicene with F atoms with higher electronegativity (η) significantly decreases E_g .¹¹ Thus, we assume that surface termination of halogen elements on silicene could change E_g evidently.

In this contribution, to modulate E_g , we investigate the structural and electronic properties of silicene with chemisorption of the halogen elements F, Cl, Br and I (X-silicene where X denotes the above elements) by using density functional theory based screened exchange local density approximation (sX-LDA), which permits self-consistent determination of electronic structures as well as eigenfunctions.¹² It is found that the E_g values of X-silicene can be modulated by surface adsorption of halogen elements. In addition, the physical background of this E_g modulation of X-silicene is also analyzed.

2. Computational framework

Calculations were performed by the CASTEP model¹³ by using an *ab initio* pseudopotential based on density functional theory (DFT).^{14,15} The generalized gradient approximation (GGA) with sX-LDA function,¹⁶ being a nonlocal potential, was taken for property calculations, while for reasons of speed, we executed geometry optimization with the Perdew–Burke– Ernzerholf (PBE) function.¹⁷ For all structures, the normconserving pseudopotential was used,¹⁸ where the cutoff energy was 720 eV. The tolerances for the geometry optimization of a total energy within 5.0×10^{-6} eV atom⁻¹, maximum Hellmann– Feynman force within 0.01 eV Å⁻¹, maximum ionic displacement within 5.0×10^{-4} Å, and maximum stress within 0.02 GPa, were taken in our calculations. The geometries of all structures were

Key Laboratory of Automobile Materials (Jilin University), Ministry of Education, and School of Materials Science and Engineering, Jilin University, Changchun, 130022, China. E-mail: jiangg@jlu.edu.cn; Fax: 86-431-85095371

fully optimized. We minimized the interlayer interactions by allowing a vacuum width of 15 Å normal to the layer. A 4×4 supercell was used in the geometry optimization in order to reduce the constraint induced by periodicity, while a primitive cell was used for the property calculations.

It is noteworthy that although DFT underestimates E_g , the sX-LDA method can give accurate E_g values for many semiconductors.^{12,19} Furthermore, it has been used to describe the electronic properties of graphene-related materials with an accuracy comparable to GW (a combination of the Green function *G* and the screened Coulomb interaction *W*).²⁰ In particular, sX-LDA is less computationally demanding than the GW method. To confirm the validity of this method, calculations are performed for bulk Si as a reference, due to the lack of experimental data for silicene. For bulk Si, $E_g = 1.034$ eV, which is close to the experimental result of 1.17 eV and GW calculations of 1.08 eV,²¹ and is much larger than the PBE result of 0.629 eV. We thus believe that the E_g values of two-dimensional silicene given by sX-LDA method are reliable.

Similar to graphane, there are two types of X-silicene, chair and boat conformations.²² The former is more stable than the latter since two X atoms bonding the first neighbor Si atoms on the same side of the latter repulse each other. Thus, we only consider the former geometry below, with one X atom attached on each Si atom, alternating between being above or below the Si atoms. The buckled structure of X-silicene is shown in Fig. 1 where the distance between two Si planes is defined as Δ and the large and small balls denote Si and X atoms, respectively. Each unit cell labeled in Fig. 1 contains two Si atoms and two X atoms.

3. Results and discussion

a

For the sake of comparison, H-silicene is considered firstly. An indirect E_g of 2.764 eV is obtained, which is larger than that of previous theoretic results within LDA.⁹ The valence band maximum (VBM) is located at the Γ point while the conduction band minimum (CBM) is at the M point, which are the same as given by other theoretical results.^{23,24}

We consider F-, Cl-, Br- and I-silicene, whose parameters are listed in Table 1. $\Delta = 0.694, 0.717, 0.705$ and 0.677 Å, respectively,



so all are more buckled than silicene ($\Delta = 0.44$ Å).⁷ The bond angles between Si atoms of the four structures are 112°, 111°, 112° and 113°, respectively, indicating that Si atoms in X-silicenes exhibit sp³ hybridization and X-silicenes have near tetrahedral configurations. It is known that in silicene, the p_z orbitals of adjacent Si atoms have reduced $\pi - \pi$ overlap, and the structure thus has a mix of sp² and sp³ hybridization. However in X-silicene, all Si atoms are saturated with sp³ hybridization. When halogens are adsorbed on silicene, the change in hybridization from a mix of sp² and sp³ to sp³ results in more buckled structures. Such sp³ structures are responsible for the near tetrahedral configurations of X-silicenes. The Si-Si lengths (l_{Si-Si}) in X-silicenes (2.398, 2.394, 2.406 and 2.449 Å, respectively) are larger than 2.281 Å in silicene (the literature value is 2.25 Å⁷). Meanwhile the l_{Si-X} values in X-silicenes are 1.630, 2.085, 2.230 and 2.466 Å, respectively. The l_{Si-X} values increase as the periodic number of the doping element (n)increases. The structural parameters for F-silicene are similar to recent theoretical results.²⁵ Moreover, the structural variations of silicene upon halogen adsorption correspond to the case of the graphene-graphane transition.²² Note that with respect to $l_{Si-Si} = 2.371$ Å for bulk Si, l_{Si-Si} in silicene contracts to 2.281 Å due to the bonding nature (the former has a sp^3 hybridization state while the latter is a mix of sp² and sp³; the decrease of coordination number leads to the bond contraction and the lattice strain).

To evaluate the structural stability of X-silicenes, the formation energy $E_{\rm f}$ calculated is listed in Table 1, where $E_{\rm f}$ per atom is defined as,

$$E_{\rm f} = \varepsilon_{\rm Si-X} - x_{\rm Si}\varepsilon_{\rm Si} - x_{\rm X}\varepsilon_{\rm X} \tag{1}$$

where ε_{Si} and ε_{Si-X} are the total energy per atom of silicene and that of the corresponding X-silicene. ε_X is taken as the total energy per adatom, and x_{Si} and x_X denote the molar fractions of the corresponding atoms, as in the literature.¹¹

All $E_{\rm f}$ values of X-silicene calculated based on eqn (1) are negative, indicating exothermic adsorptions and more stable structures with chemical bonding between halogen atoms and Si atoms. For H-silicene, $E_{\rm f} = -0.300 \text{ eV} \text{ atom}^{-1}$ in light of eqn (1), also being negative. Note that F molecules can react with Si on the bulk Si surface.²⁶ Moreover, through the wet chemical process, treatment of H-terminated porous Si surface with molecular Cl, Br and I results in efficient Si–Cl, Si–Br and Si–I bond formation.²⁷ The above reactions should also occur on silicene surface since the Si atoms in silicene are more reactive than those of bulk Si due to their mix of sp² and sp³ hybridization nature. In fact, a similar case has been carried out in the synthesis of graphane.²⁸

Table 1 Structural and electronic properties of X-silicenes. *a*, $l_{\text{Si-Si}}$, $l_{\text{Si-X}}$, Δ (Å), E_{f} (determined by eqn (1)), E_{CBM} , E_{VBM} and E_{g} (eV) stand for the lattice parameter, Si–Si and Si–X bond lengths, buckled distance, formation energy per atom, binding energy per X atom, energy of CBM and VBM and the band gap

Structure	a	l _{Si-Si}	$l_{\mathrm{Si-X}}$	Δ	$E_{\rm f}$	E _{CBM}	$E_{\rm VBM}$	$E_{\rm g}$
F-silicene	3.977	2.398	1.630	0.694	-1.982	-3.775	-5.244	1.469
Cl-silicene	3.956	2.394	2.085	0.717	-1.018	-2.591	-4.570	1.979
Br-silicene	3.984	2.406	2.230	0.705	-0.845	-1.841	-3.791	1.950
I-silicene	4.077	2.449	2.466	0.677	-0.526	-1.745	-2.939	1.194

Due to the reactive and metastable nature of Si in silicene, in fact, silicene can only experimentally be synthesized on an Ag substrate in ultrahigh vacuum at present⁴ where the interaction between the substrate and the silicene increases the stability of silicene. Otherwise, Si atoms may easily assemble together and form a bulk Si structure. When silicenes are saturated by X atoms and form X-silicenes, X-silicenes are stabilized strongly with negative E_f values as shown in Table 1 where the sp³ bonding is similar to that of bulk Si. This is partly the reason why we consider X-silicenes as possible candidates for applications in FETs.

Due to the sp³ bonding of Si atoms, a gap of X-silicene is opened. As shown in Table 1, the E_g values of X-silicene are 1.469, 1.979, 1.950 and 1.194 eV, respectively, which are smaller than that of H-silicene ($E_g = 2.764$ eV). Moreover, both energy values of E_{CBM} and E_{VBM} of X-silicenes gradually increase as *n* increases.

The electronic structures are shown in Fig. 2. Both CBM and VBM are at the Γ point, denoting a direct band gap, which is consistent with the theoretical results for F-silicene.^{11,25} The difference of the minimum energy values in the conduction band (CB) between the value at the Γ point and that at the M point are 0.949, 0.307, 0.170 and 0.165 eV, respectively, gradually reducing with increasing n. Thus X reduces the minimum energy value of the CB at the Γ point more rapidly than that at the M point, which benefits the formation of a direct band gap.²⁴ Consequently, halogens adsorbed on silicene not only reduce E_g , but also alter the gap to direct. For H-silicene, the Si-H bond is covalent. Those H electrons fill up the originally empty lowest CB of silicene. Thus, the bands are mostly intrinsic to silicene or Si-Si bonding.²⁹ However, Si-X bonding contains ionic characteristics, where Mullican charge transfer values from Si to X are 0.64, 0.35, 0.22 and 0.11, respectively, with $\eta_{\rm F}$, $\eta_{\rm Cl}$, $\eta_{\rm Br}$ and $\eta_{\rm I}$ values of 3.98, 3.16, 2.96, 2.66, respectively, which are much larger than $\eta_{Si} = 1.90$ (η denotes the Pauling electronegativity and the subscript denotes the corresponding element).³⁰ The partly ionic characteristic of the Si-X bond diminishes the electron population in

the bonding orbital of Si, weakens Si–Si bonding, and decreases the bonding–antibonding splitting and thus E_g . This bond weakening is confirmed by the Si–Si bond length elongation of $l_{\text{Si-Si}} = 2.394$ Å in Cl-silicene and that of $l_{\text{Si-Si}} = 2.398$ Å in F-silicene (the abnormal variation of $l_{\text{Si-Si}}$ for Br- and I-silicene will be discussed below). However, E_g values of X-silicene vary nonmonotonously where E_g (Br-silicene) > E_g (I-silicene), which should be clarified.

To understand this abnormal variation of E_g , charge density distributions are plotted in Fig. 2. The CBM of X-silicenes is mainly an antibonding state of Si-p orbitals, while the VBM is a mix of Si-p orbitals and X-p orbitals. As *n* increases, the VBM is contributed more by X-p orbitals, indicating the formation of surface states upon halogen functionalization. The interaction among these states is responsible for the dispersion of the CBM and VBM, and thus E_g .

The partial density of states (PDOS) of the four doped silicenes is shown in Fig. 3 where more details for E_g variation are given. The band edge characteristics induced by the halogens differ from those of H-silicene.²⁹ Although the CBM is always determined by Si atoms, the VBM has distinct cases where Si-X bonding could have a direct effect on E_{g} . In Fig. 3(a) of F-silicene, most F states are located in the lower energy range of the valence band (VB). The energy level of the VBM thus mainly consists of Si-p orbitals and Si-X bonding has only an indirect effect. For Cl-silicene (Fig. 3(b)), a little weight of Cl states contribute to the VBM. The VBM of Br-silicene in Fig. 3(c) is almost equally determined by Si and Br atoms, while the VBM of I-silicene (Fig. 3(d)) is mainly decided by I-p orbitals and some I states even extend into the gap. Si-X bonding, especially for Br-silicene and I-silicene, contributes to Eg through the VBM, similar to the case of Si nanowires.¹⁰ In addition, the electron distribution of F states is more localized while that of I states is more dispersed, due to the gradually weakened ionic characteristics of Si-X bonding. As seen in Fig. 3(a)-(d), the VBs of X-silicenes gradually shift to higher energy zones, both Si-p orbitals and X-p orbitals, while X-p orbitals broaden more than Si-p orbitals. Br-silicene can be considered as the critical structure.



Fig. 2 Electronic band structures (left) and charge density distributions of the CBM (right upper) and the VBM (right lower) states at the Γ point for (a) F-silicene, (b) Cl-silicene, (c) Br-silicene, and (d) I-silicene. The Fermi level is labeled with a dashed line. The isosurface value is 0.025 au.



Fig. 3 PDOS of F, Cl, Br and I (dashed line) and Si (solid line) for (a) F-silicene, (b) Cl-silicene, (c) Br-silicene, and (d) I-silicene. The Fermi level is labeled as a dashed line.

The VBM of Br-silicene is determined almost equally by X-p and Si-p orbitals where the energy of the Si-Br bond E_{Si-Br} is roughly equal to E_{Si-Si} . Since $E_{Si-I} < E_{Si-Si}$, I-p orbitals determine the VBM. Moreover, the interaction between the halogen-p states and the surface Si atoms extends the Si-p band, and thus decreases E_{Si-Si} with an increase in l_{Si-Si} . This effect is more evident for Br- and I-silicenes, which leads to the abnormal variation of l_{Si-Si} values in Br- and I-silicenes.

According to energy band theory, the coupling of the interatomic potential and the respective Bloch wave functions, being proportional to the mean cohesive energy, determines the energy band identities as a common origin such as E_{g} . Halogens functionalization in silicene modulates E_{Si-Si} and E_{Si-X} , which induces a perturbation of the Hamiltonian, and thus E_{g}^{31} while the increase (reduction) of bond energy increasing (decreasing) E_{g} .³² Clearly, in this work the competition between E_{Si-Si} and E_{Si-X} is responsible for the variation in E_g . As *n* increases, E_{Si-Si} firstly increases for F- and Cl-silicenes, then decreases for Br- and I-silicenes where E_{Si-X} decreases for all structures. For F-silicene, $E_{\text{Si-Si}}$ determines E_{g} and E_{g} has a smaller value (1.469 eV). For Cl-silicene, although E_{Si-Cl} plays a more significant role, E_{Si-Si} still dominates E_g where E_g increases (1.979 eV). Since E_{Si-Si} is roughly equal to E_{Si-Br} for Br-silicene, E_{Si-Br} participates in the VBM. Their common effect leads to E_{g} of Br-silicene being almost equal to that of Cl-silicene (1.950 eV). I-silicene has a significant E_g reduction (1.194 eV) since E_{Si-I} determines VBM now.

To summarize the above results, Fig. 4 shows the E_g values of X-silicenes as a function of $\eta_X - \eta_{Si}$. H-silicene is taken as a reference. As *n* increases, $\eta_X - \eta_{Si}$ gradually decreases. If both the band edges of X-silicenes are determined by E_{Si-Si} , and E_{Si-X} has little effect on E_{Si-Si} , E_g should be a linear function of $\eta_X - \eta_{Si}$ which in Fig. 4 is shown as a dashed line. The line is connected between the E_g of H-silicene and that of F-silicene. This is because the effect of E_{Si-H} and E_{Si-F} on E_g is less significant for H-silicene and F-silicene and can be ignored.²⁹



Fig. 4 E_g of X-silicenes as a function of $\eta_X - \eta_{Si}$. Solid and hollow balls denote true and predicted E_g values, respectively.

However, the E_g values of Cl-, Br- and I-silicenes shown as solid balls deviate from the predicted E_g values which are shown as hollow balls on the straight dashed line. The deviations gradually become larger with increasing *n* which implies the effect of E_{Si-X} .

Compared with the E_g values for X–Si nanowires with diameters of about 2 nm doped with F and Cl, the E_g values of F-silicene and Cl-silicene drop by 47% and 28%, being larger than that of Si nanowires by 11% and 7%, respectively.⁸ These evident differences result from the fact that the E_g of X-silicenes has no contribution from interior Si in nanowires while all Si atoms in X-silicenes are located on the surface. Thus, the effect of E_g reduction induced by the E_{Si-Si} drop is more evident for silicene than for nanowires. However, the reduction in E_g is almost the same for Br and I substitutions in X-Si nanowires and X-silicenes⁸ because E_{Si-X} effects are almost the same for the two cases.

As shown above, the E_g values of F-silicene (1.469 eV) and I-silicene (1.194 eV) are closed to those of conventional channel materials of bulk GaAs (1.4 eV) and bulk Si (1.1 eV), respectively. Thus, F-silicene and I-silicene may be potential candidates for channel semiconductors of FETs and have compatibility with existing Si-based technology.

4. Conclusions

In summary, using DFT calculations with the sX-LDA function, we have calculated the electronic properties of silicene adsorbed with halogen elements. All of the structures have favorable formation energies, implying possible fabrication in the laboratory. Surface functionalization causes the E_g of silicene to open, and X-silicenes exhibit smaller E_g values than the hydrogenated structure. Moreover, the E_g values of X-silicenes firstly increase and then decrease, which is attributed to the competition of E_{Si-Si} and E_{Si-X} . As a result, the obtained F-silicene and I-silicene are possible candidates as channel materials for FETs.

Acknowledgements

We acknowledge support from the National Key Basic Research, Development Program (Grant No. 2010CB631001) and the Program for Changjiang Scholars and Innovative Research Team in University, and High Performance Computing Center (HPCC) of Jilin University for supercomputer time.

References

- 1 F. Schwierz, Nat. Nanotechnol., 2010, 5, 487-496.
- 2 G. G. Guzman-Verri and L. C. L. Y. Voon, Phys. Rev. B: Condens. Matter Mater. Phys., 2007, 76, 075131–075140.
- 3 H. Nakano, T. Mitsuoka, M. Harada, K. Horibuchi, H. Nozaki, N. Takahashi, T. Nonaka, Y. Seno and H. Nakamura, *Angew. Chem.*, *Int. Ed.*, 2006, **45**, 6303–6306.
- 4 B. Lalmi, H. Oughaddou, H. Enriquez, A. Kara, S. Vizzini, B. Ealet and B. Aufray, *Appl. Phys. Lett.*, 2010, 97, 223109–223110.
- 5 B. Aufray, A. Kara, S. Vizzini, H. Oughaddou, C. Leandri, B. Ealet and G. Le Lay, *Appl. Phys. Lett.*, 2010, 96, 183102–183104.
- 6 K. Takeda and K. Shiraishi, *Phys. Rev. B: Condens. Matter*, 1994, **50**, 14916–14922.
- 7 S. Cahangirov, M. Topsakal, E. Aktürk, H. Şahin and S. Ciraci, *Phys. Rev. Lett.*, 2009, **102**, 236804–236807.
- 8 R. Q. Zhang, X. M. Liu, Z. Wen and Q. Jiang, J. Phys. Chem. C, 2011, 115, 3425–3428.
- 9 L. C. L. Y. Voon, E. Sandberg, R. S. Aga and A. A. Farajian, *Appl. Phys. Lett.*, 2010, **97**, 163114–163116.
- 10 P. W. Leu, B. Shan and K. J. Cho, Phys. Rev. B: Condens. Matter Mater. Phys., 2006, 73, 195320–195324.
- 11 N. Lu, Z. Y. Li and J. L. Yang, J. Phys. Chem. C, 2009, 113, 16741–16746.
- 12 R. Asahi, W. Mannstadt and A. J. Freeman, *Phys. Rev. B: Condens. Matter*, 1999, **59**, 7486–7492.
- 13 M. D. Segall, P. J. D. Lindan, M. J. Probert, C. J. Pickard, P. J. Hasnip, S. J. Clark and M. C. Payne, *J. Phys.: Condens. Matter*, 2002, **14**, 2717–2744.
- 14 P. Hohenberg and W. Kohn, Phys. Rev., 1964, 136, B864-B871.

- 15 W. Kohn and L. J. Sham, Phys. Rev., 1965, 140, A1133-A1138.
- 16 D. M. Bylander and L. Kleinman, Phys. Rev. B: Condens. Matter, 1990, 41, 7868–7871.
- 17 J. P. Perdew, K. Burke and M. Ernzerhof, *Phys. Rev. Lett.*, 1996, 77, 3865–3868.
- 18 N. Troullier and J. L. Martins, Phys. Rev. B: Condens. Matter, 1991, 43, 1993–2006.
- 19 A. Seidl, A. Görling, P. Vogl, J. A. Majewski and M. Levy, *Phys. Rev. B: Condens. Matter*, 1996, **53**, 3764–3774.
- 20 R. Gillen and J. Robertson, *Phys. Rev. B: Condens. Matter Mater. Phys.*, 2010, 82, 125406–125410.
- 21 J. A. Yan, L. Yang and M. Y. Chou, Phys. Rev. B: Condens. Matter Mater. Phys., 2007, 76, 115319–115324.
- 22 J. O. Sofo, A. S. Chaudhari and G. D. Barber, *Phys. Rev. B: Condens. Matter Mater. Phys.*, 2007, **75**, 153401–153404.
- 23 S. D. Wang, L. Y. Zhu, Q. Chen, J. L. Wang and F. Ding, J. Appl. Phys., 2011, 109, 053516–053520.
- 24 C. G. Van de Walle and J. E. Northrup, *Phys. Rev. Lett.*, 1993, **70**, 1116–1119.
- 25 J. C. Garcia, D. B. de Lima, L. V. C. Assali and J. F. Justo, J. Phys. Chem. C, 2011, 115, 13242–13246.
- 26 D. P. Pullman, A. A. Tsekouras, Y. L. Li, J. J. Yang, M. R. Tate, D. B. Gosalvez, K. B. Laughlin, M. T. Schulberg and S. T. Ceyer, *J. Phys. Chem. B*, 2001, **105**, 486–496.
- 27 J. M. Buriak, Chem. Rev., 2002, 102, 1271-1308.
- 28 D. C. Elias, R. R. Nair, T. M. G. Mohiuddin, S. V. Morozov, P. Blake, M. P. Halsall, A. C. Ferrari, D. W. Boukhvalov, M. I. Katsnelson, A. K. Geim and K. S. Novoselov, *Science*, 2009, **323**, 610–613.
- 29 G. G. Guzman-Verri and L. C. L. Y. Voon, J. Phys.: Condens. Matter, 2011, 23, 145502–145506.
- 30 http://www.webelements.com/.
- 31 C. Q. Sun, Prog. Solid State Chem., 2007, 35, 1-159.
- 32 Y. F. Zhu, X. Y. Lang and Q. Jiang, *Adv. Funct. Mater.*, 2008, 18, 1422–1429.